# OF THE AMERICAN CHEMICAI SOCIETY <br> Registered in U.S. Patent Office. © Copyright, 1979, by the American Chemical Society 

# Vibrational Spectra of Cubane and Four of Its Deuterated Derivatives 

E. W. Della, ${ }^{12}$ E. F. McCoy, ${ }^{1 a}$ H. K. Patney, ${ }^{1 a}$ Gerald L. Jones, ${ }^{\text {bb,c }}$ and Foil A. Miller*lb<br>Contribution from the School of Physical Sciences, The Flinders University of South Australia, Bedford Park, South Australia 5042, and the Department of Chemistry, University of Pittsburgh, Pittsburgh. Pennsylvania 15260. Received April 9, 1979


#### Abstract

Vibrational spectra are reported for cubane, cubane- $d_{1}$, sym-cubane- $d_{2}$, sym-cubane- $d_{6}$, and cubane- $d_{8}$. Infrared spectra are from 400 to $3600 \mathrm{~cm}^{-1}$ for $\mathrm{CS}_{2}$ and $\mathrm{CCl}_{4}$ solutions, and for a solid deposited from the vapor at $\sim 100 \mathrm{~K}$. Raman spectra are for the same solutions and for the polycrystalline solid at room temperature. Vibrational assignments have been made for all the fundamentals of all five compounds, 120 modes in all. The fortuitous crystal structure of cubane and cubane$d_{8}$ was an important aid. Of the 18 fundamentals of cubane, only one or two are not certain. The spectra show almost no effect of the severe bond angle strain. Also there are no low molecular modes; the lowest for cubane is $617 \mathrm{~cm}^{-1}$.


## Introduction

Cubane, $\mathrm{C}_{8} \mathrm{H}_{8}$, has the carbon skeleton shown in Figure 1. ${ }^{2}$ It is an exceptionally interesting molecule because of having the unusual cubic $\mathrm{C}_{8}$ cage, very high symmetry, and a great deal of strain. The C-C-C angles are decreased from 109.5 to $90^{\circ}$ at each of the eight corners, and this might be expected to produce some unusual vibrational frequencies. Hence a thorough study of its vibrational spectrum seemed desirable.

Cubane was first prepared by Eaton and Cole in 1964. ${ }^{3}$ An X-ray diffraction study by Fleischer ${ }^{4}$ showed that, within experimental error, the carbon frame is a cube and the hydrogen atoms lie on extensions of the cube diagonals. The C-C distance is $1.55 \AA$, almost exactly the same as in cyclobutane.

Very little is known about the vibrational spectrum. There are no published Raman data, and the only infrared results are from a survey spectrum obtained at the time of the original synthesis. ${ }^{3}$ Only three bands were observed--just the number of fundamentals permitted by cubic symmetry. Recently some unpublished data of King, Cole, and Gayles has been quoted by others. ${ }^{5}$ Both the data and the interpretation differ considerably from ours. Thus there is very little usable information on the vibrational spectrum of cubane in the literature.

This work is a cooperative project between our two laboratories. Della and Patney did the chemical preparations, Jones and Miller made the spectroscopic measurements, and McCoy is responsible for the normal coordinate calculation (to be published separately). We have studied five isotopic forms of cubane: cubane- $d_{0}$ and - $d_{8}$ ( $O_{h}$ symmetry), sym-cubane- $d_{2}$ and - $d_{6}\left(D_{3 d}\right)$, and cubane- $d_{1}\left(C_{3 c}\right)$. For brevity these will be referred to as $d_{0}, d_{1}, d_{2}, d_{6}$, and $d_{8}$. The $d_{2}$ and $d_{6}$ will always mean sym- $d_{2}$ and sym- $d_{6}$. Their full names are 1,4 -dideuteriocubane and 1,2,3,4,6,7-hexadeuteriocubane.

## Experimental Procedures and Results

Origin and Properties of the Samples. The syntheses have been described by Della and Patney. ${ }^{6}$ Between 40 and 200 mg of each compound was available for our work.

Cubane is a colorless solid. It melts at $130-131^{\circ} \mathrm{C}$, and decomposes a bove the melting point. It is soluble in $\mathrm{CS}_{2}, \mathrm{CCl}_{4}, \mathrm{CHCl}_{3}$, and benzene. Surprisingly, it is not sufficiently soluble in cyclohexane to make that a useful solvent for vibrational spectroscopy. It sublimes fairly easily, and is readily transferred on a vacuum line. ${ }^{7}$ A small sample left in the open will disappear overnight. One can readily lose cubane while handling it, and we had great difficulty in recovering samples after our experiments. In part this was because the cubane also vaporized when a solvent was evaporated. We suspect, too, that the vapor dissolves readily in stopoock grease.

The purity of the samples will be discussed later.
Infrared Procedures. Initially quite a bit of $d_{0}$ was lost in vain attempts to make KBr pressed disks. It just disappeared. We believe now that it may have sublimed when the sample- KBr mixture was evacuated prior to and during the pressing. Solid samples were therefore prepared by depositing the vapor onto a cold window ( $\sim 100 \mathrm{~K}$ ) in a conventional low-temperature cell. Solutions in $\mathrm{CS}_{2}$ and $\mathrm{CCl}_{4}$ were also used.

Spectra were obtained from 400 to $3600 \mathrm{~cm}^{-1}$ with a Beckman IR-12 spectrophotometer. The lower limit was set by KBr cell windows. In addition a thick deposit of $d_{0}$ was measured down to 200 $\mathrm{cm}^{-1}$ in a Csl cell. Since no infrared bands were found, the range $200-400 \mathrm{~cm}^{-1}$ was not examined for the other compounds. The spectral slit widths were $1-2 \mathrm{~cm}^{-1}$ in all cases.

Raman Procedures. Raman spectra were obtained with a Spex Ramalog instrument which has been described elsewhere. ${ }^{8}$ Samples were held in thin-walled glass capillary tubes. They were examined as polycrystalline solids at room temperature, and as solutions in $\mathrm{CS}_{2}$, $\mathrm{CCl}_{4}$, or benzene as needed to observe each band. Depolarization ratios were measured for the solutions. Excitation was with either the 488.0 - or $514.5-\mathrm{nm}$ line of an $\mathrm{Ar}^{+}$laser. We took the precaution of keeping the laser power at the sample less than 100 mW , and of ro-



Table I (Continued)

| infrared |  |  |  |  |  | Raman |  |  |  |  |  |  | assignments |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| solid ( $\sim 100 \mathrm{~K}$ ) |  | $\mathrm{CS}_{2}$ soln |  | $\mathrm{CCl}_{4}$ soln |  | solid ( $\sim 295 \mathrm{~K}$ ) |  | $\mathrm{CS}_{2}$ soln |  | $\mathrm{CCl}_{4} \mathrm{soln}$ |  |  |  |
| $\mathrm{cm}^{-1}$ | int | $\mathrm{cm}^{-1}$ | int | $\mathrm{cm}^{-1}$ | int | $\mathrm{cm}^{-1}$ | int ${ }^{\text {a }}$ | $\mathrm{cm}^{-1}$ | int ${ }^{\text {a }}$ | $\mathrm{cm}^{-1}$ | int ${ }^{\text {a }}$ | $\rho^{b}$ |  |
| 2978 | vs | 2977 | vs | 2982 | vs |  |  |  |  |  |  |  | 10 ( $\mathrm{e}_{\mathrm{u}}$ ) |
| 2992 | vs |  |  |  |  | 2995 | 395 | 2994 | 295 | 2999 | 280 | 0.0 | $\begin{aligned} & 3 \text { and } 10\left(a_{u}\right)^{d} \\ & \hline \end{aligned}$ |

${ }^{a}$ Raman intensities are relative peak intensities on a scale of $0-1000$, uncorrected for instrument response. ${ }^{b} \rho=$ depolarization ratio. For depolarized lines, we obtain $0.75 \pm 0.03 \mathrm{p}, \mathrm{dp}=$ polarized, depolarized. Numerical value of $\rho$ could not be obtained. ${ }^{c} 821 \mathrm{~cm}^{-1}$ is a shoulder on the side of the $\mathrm{CS}_{2}$ band at $796 \mathrm{~cm}^{-1}$. ${ }^{d}$ See text. e Notes (also apply to Tables $11-\mathrm{V}$ ): $\mathrm{w}, \mathrm{m}, \mathrm{s}=$ weak, medium, strong; $\mathrm{v}=$ very; $\mathrm{b}=$ broad; $\mathrm{sh}=$ shoulder; $\sim=$ approximate ( $\pm 3-5 \mathrm{~cm}^{-1}$ ), due to breadth, weakness, or being a shoulder; *, solvent interferes; $\mathrm{R}=$ Raman value; $1=$ infrared value; imp. = impurity; $d_{1}, d_{7}=$ cubane $-d_{1}$, cubane- $d_{7}$, etc.; ()$=$ estimated from product rule; $F R=$ Fermi resonance.

Table II. Cubane- $d_{8} \operatorname{Infrared}$ and Raman Bandse


Table II (Continued)

${ }^{a}$ See footnote $a$, Table $1 .{ }^{b}$ See footnote $b$, Table I. ${ }^{c}$ See text. ${ }^{d}$ Benzene solution. ${ }^{e}$ See footnote $e$, Table 1 .

Table III. sym-Cubane $d_{2} \operatorname{lnfrared}$ and Raman Bands $f$


Table III (Continued)

${ }^{a}$ Sce footnote $a$, Table $1 .{ }^{h}$ See footnote $b$, Table $1 .{ }^{c} 738 \mathrm{~cm}^{-1}$ is asymmetric on low- $\mathrm{cm}^{-1}$ side; unable to resolve. ${ }^{d} 820 \mathrm{~cm}^{-1}$. In $\mathrm{CHCl}_{3}$ solution. ${ }^{e}$ See footnote $d$, Table 1. ${ }^{\prime}$ See footnote e, Table 1.
tating the capillary, to avoid decomposition. It was not possible to obtain the spectrum of molten cubane because it decomposed when slightly above the melting point and under laser illumination. The spectral slit widths were $5 \mathrm{~cm}^{-1}$ for survey spectra, and down to $1 \mathrm{~cm}^{-1}$ when possible for frequency measurements.

Results. Survey spectra are shown in Figures 2-5 and numerical data are given in Tables 1-V. The wavenumber calibration of the instruments was checked just before or after each measurement. The tabulated infrared wavenumbers are thought to be accurate to $\pm 1$ $\mathrm{cm}^{-1}$, and the Raman ones to $\pm 2 \mathrm{~cm}^{-1}$, unless a band is marked broad, shoulder, or approximate.
It is noteworthy that the bands seldom change by more than $3 \mathrm{~cm}^{-1}$ between solid, $\mathrm{CS}_{2}$ solution, and $\mathrm{CCl}_{4}$ solution. This simplifies comparison between these spectra.

## Theoretical Considerations

We find that in solution cubane- $d_{0}$ follows the selection rules for $O_{h}$ symmetry, whereas in the polycrystalline solid it follows
those for the crystal.
Solutions. Consider first the expectations for the free molecule (gas or solution). If cubane- $d_{0}$ and $-d_{8}$ are cubic ( $O_{h}$ symmetry), their vibrations are $2 \mathrm{a}_{1 \mathrm{~g}}(\mathrm{R})+2 \mathrm{e}_{\mathrm{g}}(\mathrm{R})+1 \mathrm{f}_{1 \mathrm{~g}}+$ $4 f_{2 g}(R)+2 a_{2 u}+2 e_{u}+3 f_{1 u}(I)+2 f_{2 u}$, where $R$ and I mean Raman and infrared active. Note that only three of the nine $u$ modes are active. sym-Cubane- $d_{2}$ and $-d_{6}$ then have symmetry $D_{3 d}$, and their fundamentals are $6 \mathrm{a}_{1 \mathrm{~g}}(\mathrm{R})+1 \mathrm{a}_{2 \mathrm{~g}}+$ $7 \mathrm{e}_{g}(\mathrm{R})+2 \mathrm{a}_{1 \mathrm{u}}+5 \mathrm{a}_{2 \mathrm{u}}(\mathrm{I})+7 \mathrm{e}_{\mathrm{u}}(\mathrm{I})$. Finally cubane- $d_{1}$ is $\tilde{C}_{3 v}$, with $11 a_{1}(R, I)+3 a_{2}+14 e(R, I)$.

Table VIA gives the correlation of the vibrations as the symmetry changes from $O_{h}$ to $D_{3 d}$ to $C_{3 v}$

Product Rule. The Teller-Redlich product rule ${ }^{9}$ is a powerful and useful check on the assignments. We prefer to use the reciprocal of the equation given by Herzberg so that the ratios are $>1$. Data used for calculating the theoretical ratios are given in Table VII. Both theoretical and observed product rule

Table IV. sym-Cubane- $d_{6} \operatorname{Infrared}$ and Raman Bands $g$

| infrared |  |  |  | Raman |  |  |  |  | assignment |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| solid ( $\sim 100 \mathrm{~K}$ ) |  | $\mathrm{CS}_{2}$ soln |  | solid ( $\sim 295 \mathrm{~K}$ ) |  | $\mathrm{CCl}_{4}$ soln |  | $\beta^{7}$ |  |
| $\mathrm{cm}^{-1}$ | int | cm | int | $\mathrm{cm}^{-1}$ | int $^{\text {a }}$ | Cl11-1 | int ${ }^{\prime}$ |  |  |
| 538 | vw |  |  |  |  |  |  |  | 8 |
|  |  |  |  | 579 | 6 | 578 | 3 | 0.0 | 16 a |
|  |  |  |  | 598 | 35 | 597 | 15 | 0.78 | 16 b |
| $\sim 623$ | vvw, b |  |  |  |  |  |  |  | ? |
| 633 | vvw |  |  |  |  |  |  |  | ? |
| $\sim 643$ | w, sh |  |  |  |  |  |  |  | ? |
| 6.1 | m | 645 | m |  |  |  |  |  | 18 b |
| 662 | w | 661 | vw |  |  |  |  |  | ? |
|  |  |  |  | 671 | 4 | 671 | 1 |  | ? |
| 674 | vw |  |  |  |  |  |  |  | 18 a |
| 690 | s | 688 | m |  |  |  |  |  | 12a |
|  |  |  |  | 704 | 305 | 696 | 110 | 0.78 | 6 |
| 717 | w |  |  | 716 | 10 | - ${ }^{\prime}$ |  |  | 6 for $d_{5}$ ? |
|  |  |  |  | 725 | 35 | $725^{\circ}$ | 10 | 0.48 | 15a |
| 736 | vw |  |  | 738 | 35 | $736{ }^{\text {c }}$ | 10 | 0.80 | $d_{5}$ ? |
| $\sim 757$ | vw, b |  |  | 758 | $245$ | 753 | 70 | $0.78$ | 15b |
|  |  |  |  | $786$ | 6 | - ${ }^{\prime}$ |  | '? |  |
| $\left\{\begin{array}{l} 786 \\ 792 \end{array}\right.$ | s | 786 | m |  |  |  |  |  | 12 b |
|  | $s$ |  |  |  |  |  |  |  |  |
|  |  |  |  | 806 | 1 | * d |  |  | ? |
| 807 | m | 804 | m |  |  |  |  |  | 4 |
| 832 | vvw |  |  |  |  |  |  |  | ? |
| 849 | vw |  |  | 847 | 35 | 844 | 8 | 0.76 | $d s^{\prime}$ ? |
|  |  |  |  | 884 | 1 |  |  |  | 9 a |
| 927 | vw |  |  |  |  |  |  |  | 17 a |
|  |  |  |  | 961 | 55 | 962 | 40 | 0.0 | 2 for ${ }^{13} \mathrm{C}$ compd |
|  |  |  |  | 967 | 1000 | 966 | 1000 | 0.01 | 2 边 |
|  |  |  |  | 971 | 250 | 971 | 160 | 0.01 | 2 for $d_{s}$ ? |
| 975 | vvw |  |  |  |  |  |  |  | 17 b |
|  |  |  |  | 978 | 15 | 978 | 7 | 0.0 | 2 for $d_{4}$ ? |
|  |  |  |  | 985 | 90 | 985 | 15 | 0.75 | 9 b |
|  |  |  |  | 992 | 15 |  |  |  | 9 b for $d_{5}$ ? |
| 1014 | w |  |  |  |  |  |  |  |  |
|  |  |  |  | 1029 | 15 |  |  |  | ? |
|  |  |  |  | $1035$ | $155$ | 1036 | 45 | 0.80 | 5 |
|  |  |  |  | 1067 | 5 | 1065 | 3 | 0.0 | $2 \times 538(1)=1076$ |
|  |  |  |  | 1083 | 25 | 1083 | 10 | 0.65 | 14 a |
| 1100 | vw |  |  |  |  |  |  |  | 11 a |
| $\sim 1144$ | vw, b |  |  | 1145 | 100 | 1146 | 30 | 0.77 | 14 b |
| $1164$ | s | 1164 | m |  |  |  |  |  | $11 \mathrm{~b}$ |
| $1169$ | $\mathrm{vw}, \mathrm{sh}$ |  |  |  |  |  |  |  | imp.e |
| $\left\{\begin{array}{l}1184 \\ 1187\end{array}\right.$ | m | 1183 | w | 1183 | 1 |  |  |  | 11 b for $d_{5}$ ? |
| $\{1187$ | m |  |  |  |  |  |  |  | liblar |
| $\sim 1384$ | vw, b |  |  |  |  |  |  |  | $598(\mathrm{R})+786(1)=1384$ |
| $\sim 1536$ | vow, b |  |  |  |  |  |  |  | $758(\mathrm{R})+786(1)=1544$ |
| $\sim 1554$ | vow, b |  |  |  |  |  |  |  | $579(\mathrm{R})+975(1)=1554$ |
| $\sim 1615$ | vow, b |  |  |  |  |  |  |  | $967(\mathrm{R})+651(1)=1618$ |
| $\sim 1642$ | $v w, b$ |  |  |  |  |  |  |  | $?$ |
| $\sim 1680$ | $v w, b$ |  |  |  |  |  |  |  | $1145(\mathrm{R})+538(1)=1683$ |
| $\sim 1728$ | vvw, b |  |  |  |  |  |  |  | $1083(\mathrm{R})+651(1)=1734$ |
| $\sim 1769$ | vw, b |  |  |  |  |  |  |  | $758(\mathrm{R})+1014(\mathrm{l})=1772$ |
|  |  |  |  | $1917$ | 1 | $\sim 1917$ | $1, b$ |  | $884(\mathrm{R})+1035(\mathrm{R})=1919$ |
|  |  |  |  | $1947$ | 1 | $\sim 1947$ | $\mathrm{l}, \mathrm{~b}$ |  | $786(1)+1164(1)=1950$ |
| 1955 | vw |  |  |  |  |  |  |  | $985(\mathrm{R})+975(1)=1960$ |
|  |  |  |  | 1987 | 3 | $\sim 1987$ | $1, \mathrm{~b}$ |  | $975(1)+1014(1)=1989$ |
| 2006 | w |  |  |  |  |  |  |  | $1035(\mathrm{R})+975(1)=2010$ |
|  |  |  |  | 2019 | 1 | $\sim 2020$ | 1.b |  | $985(\mathrm{R})+1035(\mathrm{R})=2020$ |
| 2032 | vvw |  |  |  |  |  |  |  | ? |
| 2043 | w |  |  |  |  |  |  |  | $884(\mathrm{R})+1164(1)=2048$ |
| 2053 | vvw |  |  |  |  |  |  |  | $1083(\mathrm{R})+975(1)=2058$ |
|  |  |  |  | 2061 | 6 | 2062 | 4 | 0.59 | $2 \times 1035(\mathrm{R})=2070$ |
| 2078 | w |  |  |  |  |  |  |  | $985(\mathrm{R})+1100(1)=2085$ |
| 2114 | vvw |  |  |  |  |  |  |  | $\begin{aligned} & 1145(\mathrm{R})+975(1)=2120 \\ & (2 \times 1067(\mathrm{R})=2134 ? \end{aligned}$ |
|  |  |  |  | 2134 | 3 | 2135 | 2 | 0.0 | $\left\{\begin{array}{l} 985(\mathrm{R})+1145(\mathrm{R})=2130^{\prime} \\ 975(1)+1164(1)=2139^{\prime} \text { ? } \end{array}\right.$ |
| 2142 | vw |  |  |  |  |  |  |  | $985(\mathrm{R})+1164(1)=2149$ |
|  |  |  |  | 2162 | 5 | 2163 | 4 | 0.0 | $2 \times 1083(\mathrm{R})=2166$ |
| 2172 | vw |  |  |  |  |  |  |  | ? |

Table IV (Continued)

| infrared |  |  |  | Raman |  |  |  |  | assignment |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| solid ( $\sim 100 \mathrm{~K}$ ) |  | $\mathrm{CS}_{2}$ soln |  | solid ( $\sim 295 \mathrm{~K}$ ) |  | $\mathrm{CCl}_{4}$ soln |  |  |  |
| $\mathrm{cm}^{-1}$ | int | $\mathrm{cm}^{-1}$ | int | $\mathrm{cm}^{-1}$ | int ${ }^{\text {a }}$ | $\mathrm{cm}^{-1}$ | int ${ }^{\text {a }}$ | $\rho^{\bar{b}}$ |  |
|  |  |  |  | 2176 | 5 |  |  |  | $\left\{\begin{array}{l} 1014(1)+1164(1)=2178 \\ 1035(R)+1145(R)=2180 \end{array}\right.$ |
| $\{2194$ | w |  |  |  |  |  |  |  |  |
| 2196 | w |  |  |  |  |  |  |  | $1035(\mathrm{R})+1164(1)=2199$ |
|  |  |  |  | 2196 | 5 | 2196 | 4 | 0.0 | $2 \times 1100(1)=2200$ |
| $\{2216$ | vw |  |  |  |  |  |  |  | ? |
| 2220 | vw |  |  |  |  |  |  |  | ? |
|  |  |  |  | $\left\{\begin{array}{l} 2229 \\ 2234 \end{array}\right.$ | $\begin{array}{r} 320 \\ 90 \end{array}$ | 2230 | 100 | 0.75 | 13 b |
| $\{2231$ | s |  |  |  |  |  |  |  |  |
| $\{2236$ | vs | 2234 | vs |  |  |  |  |  | 10 b |
| $\{2239$ | vs |  |  |  |  |  |  |  |  |
| \{2242 | vs | 2245 | s |  |  |  |  |  | 3 |
|  |  |  |  | 2254 | 495 | 2257 | 335 | 0.02 | 1 |
|  |  |  |  | 2275 | 6 |  |  |  | ? |
|  |  |  |  | 2319 | 1 |  |  |  | $2 \times 1164(1)=2328$ |
| 2974 | vs | 2972 | s |  |  |  |  |  | 10a |
|  |  |  |  | 2978 | 330 | 2979 | 110 | 0.19 | 13a |
| 2991 | s |  |  |  |  |  |  |  | $758(\mathrm{R})+2236(1)=2994$ |
|  |  |  |  | 2992 | 80 | $f$ |  |  | $758(\mathrm{R})+2229(\mathrm{R})=2987$. FR with 2978 |
| 3226 | vw |  |  |  |  |  |  |  | $2229(\mathrm{R})+1100(1)=3229$ |
| $\sim 3378$ | vvw, b |  |  |  |  |  |  |  | $1145(\mathrm{R})+2236(1)=3381$ |

"Sce footnote $a$, Table $1 .{ }^{h}$ See footnote $b$, Table $1 .{ }^{c}$ In benzene solution. ${ }^{d} 806 \mathrm{~cm}^{-1}$. Both $\mathrm{CCl}_{4}$ and benzene interfere. ${ }^{*}$ See footnote $d$, Table 1.f $2992 \mathrm{~cm}^{-1}$ is not observed in solution, even at $0.5-\mathrm{cm}^{-1}$ resolution. ${ }^{g}$ See foot note $e$, Table 1 .
ratios ( $\tau$ 's) are listed in Table VIII. The observed ratios are expected to be less than the theoretical ones because of anharmonicity. A crude guide is that the difference is about $1 \%$ for each $\mathrm{C}-\mathrm{H}(\mathrm{D})$ stretching mode and about $0.5 \%$ for each $\mathrm{C}-\mathrm{H}(\mathrm{D})$ bending mode.

Effect of Crystal Structure. Fleischer showed that the space group is $R \overline{3}$ (or $C_{3 i}{ }^{2}$ ), with only one molecule per unit cell. ${ }^{4}$ The factor group is $C_{3 i} \equiv S_{6}$. This has several useful consequences. (a) Under it, $a l l$ the fundamental modes of $d_{0}$ and $d_{8}$ become formally allowed. The correlation between modes of the free molecule and of the factor group is shown in Table VIB. (b) There is still a center of symmetry in the factor group so the $\mathrm{g}-\mathrm{u}$ distinction is preserved and the rule of mutual exclusion still applies. (c) In principle the triply degenerate modes of $O_{h}$ split into two spectroscopically active components in the crystal. In fact most of them are observed to do just that.

The finding that there is only one molecule per unit cell also has three pertinent consequences. (1) There are no correlation field splittings due to interactions between molecules in the same unit cell. Therefore any observed splittings are due to lowering of the symmetry from the molecular group to the factor group ( $O_{h}$ to $S_{6}$ ). Consequently they will be a dependable guide to locating triply degenerate modes of $O_{h}$. (2) There are no translatory lattice modes. (3) There are only two rotatory lattice modes, having symmetry $\mathrm{a}_{\mathrm{g}}$ and $\mathrm{e}_{\mathrm{g}}$ of $S_{6}$. These are Raman allowed, but we found no evidence for them down to $30 \mathrm{~cm}^{-1}$. This is understandable, for they are probably very low in both frequency and intensity. If the molecule were truly cubic in the crystal, rotation or libration would not change the polarizability, and it would be spectroscopically inactive. The molecule is not exactly cubic but the distortion is very small so the librational bands are probably very weak.

The above considerations do not necessarily apply to the intermediate deuterated species. The $d_{1}, d_{2}$, and $d_{6}$ molecules have a unique molecular symmetry axis, but it is not necessarily directed along the $S_{6}$ axis of the unit cell. The $C_{3}$ symmetry axis of these molecules does not present a very different external aspect to neighboring molecules than the other cube diagonals, so some randomness is possible. This will lead to a further relaxation of selection rules in the solid.


Figure 1. The carbon skeleton of cubane.

## Purity of the Samples

A discussion of the purity has been deferred until after presenting the selection rules for solution and solid. We now must consider it before starting on the assignments.

First of all, the infrared spectrum of every solid sample has a very weak band at 1168 or $1169 \mathrm{~cm}^{-1}$. It is not in the empty cell. Although it is hard to imagine how the same impurity can be in every one of the isotopic compounds, we believe that this band must be due to something extraneous to the samples.
$d_{0}$. Gas chromatography indicated $1-2 \%$ of a chemical impurity whose identity is unknown. A few bands in Table I that we cannot explain may be due to it. The only band that we are certain is an impurity is $1030 \mathrm{~cm}^{-1}$ in the infrared, because it appears in solution as well as the solid. Only $f_{l u}$ modes are allowed in solution (i.e., for the free molecule), and all three $\mathrm{f}_{\text {lu }}$ fundamentals are known with certainty. It cannot be a sum tone because no frequencies are low enough, and it cannot be a difference tone because the solid spectrum was obtained at 100 K . Hence the infrared band is due to an impurity. The Raman band at $\sim 1026 \mathrm{~cm}^{-1}$ may have the same origin.

The remaining samples contained the same $1-2 \%$ of chemical impurity found in $d_{0}$, although it may have been partially deuterated. The isotopic purity seems much more significant, and will now be discussed.

Table V. Cubane- $\boldsymbol{d}_{1}$ Infrared and Raman Bands ${ }^{\prime \prime}$

| infrared |  |  |  | Raman |  |  |  |  | assignment |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| solid ( $\sim 100 \mathrm{~K}$ ) |  | $\mathrm{CS}_{2}$ soln |  | solid ( $\sim 295 \mathrm{~K}$ ) |  | $\mathrm{CCl}_{4}$ soln |  | $\rho^{\prime \prime}$ |  |
| $\mathrm{cm}^{-1}$ | int | $\mathrm{cm}^{-1}$ | int | $=\mathrm{m}^{-1}$ | int ${ }^{\text {a }}$ | $\mathrm{cm}^{-1}$ | int ${ }^{\text {a }}$ |  |  |
| 590 | w | 585 | w | 587 | 11 | 585 | 4 | 0.82 | 8 |
| 654 | w | * |  | 652 | 7 | 652 | 4 | 0.75 | 16b |
|  |  |  |  | $\sim 659$ | sh | $\sim 659$ | sh |  | 16a |
| 724 | m | 721 | m | 722 | 55 | 722 | 20 | 0.76 | 18b |
|  |  |  |  | 816 | 25 | $818{ }^{\circ}$ | 10 | 0.71 | 15a |
| 828 | $w$ |  |  | 826 | 25 |  |  |  | 15 b |
| 834 | w |  |  |  |  |  |  |  | 18a |
| 847 | vs | 844 | vs | 844 | 7 | 843 | 4 | 0.56 | $4,12 \mathrm{~b}^{\text {d }}$ |
| 853 | s, sh |  |  |  |  |  |  |  | 12a |
| $\sim 878$ | w |  |  |  |  |  |  |  | ? |
| 892 | m | 885 | m | 898 | 780 | 887 | 200 | 0.73 | 6 |
|  |  |  |  | $\sim 902$ | sh |  |  |  | ? |
| 995 | vw |  |  | 996 | 1000 | 995 | 1000 | 0.00 | 2 |
|  |  |  |  | 1002 | 100 | 1002 | 40 | 0.26 | 2 of $d_{0}$, plus 176 ${ }^{\text {d }}$ |
| 1002 | w | 1001 | w |  |  |  |  |  | 17 b |
| 1026 | vw |  |  | 1027 | 28 | 1028 | 5 | 0.01 | ? |
| 1036 | w |  |  |  |  |  |  |  | 17a |
| 1062 | $w$ |  |  | 1062 | 18 | 1062 | 7 | 0.76 | 5 |
| 1098 | vw |  |  | 1101 | 13 | 1100 | 3 | 0.75 | 9 b |
|  |  |  |  | 1132 | 5 |  |  |  | 9 a |
| 1145 | w |  |  | 1145 | 4 |  |  |  |  |
| 1168 | vw |  |  |  |  |  |  |  | imp. ${ }^{\text {d }}$ |
| 1175 | w | 1175 | w | 1174 | 70 | 1176 | 40 ) | 0.76 | 14a |
| $\sim 1179$ | vw, sh |  |  | 1179 | 50 | 1179 | sh ) | 0.76 | 14 b |
| 1184 | vw |  |  |  |  |  |  |  | ? |
| 1219 | vs | 1217 | s | 1217 | 7 | 1219 | 4 | 0.73 | 11 a |
| 1225 | vs | 1223 | s |  |  |  |  |  | 116 |
| 1248 | vw |  |  |  |  |  |  |  | $590+659=1249$ |
| 1308 | w | 1303 | w |  |  |  |  |  | $590+724=1314$ |
| 1381 | vw | * |  |  |  |  |  |  | $659+724=1383$ |
| $\sim 1659$ | w, b | * |  |  |  |  |  |  | $659+1002=1661$ |
|  |  |  |  |  |  |  |  |  | $1590+1098=1688$ |
| $\sim 1690$ | w. b |  |  |  |  |  |  |  | $\left\{\begin{array}{l}654+1036=1690 \\ 847+844=1691\end{array}\right.$ |
| $\sim 1722$ | w, b |  |  |  |  |  |  |  | $724+1002=1726$ |
| $\sim 1762$ | w. b |  |  |  |  |  |  |  | $\left\{\begin{array}{c}590+1174=1764\end{array}\right.$ |
|  |  |  |  |  |  |  |  |  | $\{724+1036=1760$ |
| $\sim 1806$ | w, b |  |  |  |  |  |  |  | $590+1219=1809$ |
| $\sim 1880$ | vw, b |  |  |  |  |  |  |  | $\left\{\begin{array}{l} 892+996=1888 \\ 659+1225=1884 \end{array}\right.$ |
| $\sim 1945$ | vw, b |  |  |  |  |  |  |  | $724+1225=1949$ |
| $\sim 1962$ | w, b | $\sim 1959$ | w, b |  |  |  |  |  | $816+1145=1961$ |
| 1984 | vw |  |  | 1982 | 2 | 1984 | 1 |  | $2 \times 996=1992$ |
| $\sim 2025$ | vw, b |  |  |  |  |  |  |  | $847+1179=2026$ |
| $\sim 2056$ | vw. b |  |  | 2054 | 2 | 2056 | 3 |  | $996+1062=2058$ |
| $\sim 2108$ | vw, b | * |  |  |  |  |  |  | $892+1219=2111$ |
|  |  |  |  | 2114 | 1 |  |  |  | $898+1217=2115$ |
|  |  |  |  | 2143 | 1 | 2145 | 1 |  | $996+1145=2141$ |
| 2170 | w | * |  | 2168 | 2 |  |  |  | $996+1174=2170$ |
| 2199 | w | * |  |  |  |  |  |  | $2 \times 1101=2202$ |
| 2204 | w | * |  |  |  |  |  |  | $1062+1145=2207$ |
| 2212 | m | * |  | 2212 | 15 | 2214 | 10 | 0.22 | $996+1217=2213$ |
| $\sim 2230$ | w, sh |  |  |  |  | $\sim 2233$ | sh |  | $1101+1132=2233$ |
| 2239 | m | 2241 | m | 2240 | 85 | 2243 | 36 | 0.19 | 10a |
| 2250 | w |  |  | $\sim 2247$ | sh |  |  |  | $1101+1145=2246$ |
|  |  |  |  | 2269 | 2 | 2270 | 1 |  | $1101+1174=2275$ |
|  |  |  |  | 2349 | 2 | 2352 | 1 |  | $2 \times 1174=2348$ |
| 2967 | S |  |  | 2969 | 4203 |  |  |  |  |
| 2978 | vs | 2975 | vs | 2977 | 280 | 2973 | 150 | dp? | $\begin{aligned} & 13 \mathrm{a}, 13 \mathrm{~b} \\ & 3,10 \mathrm{~b} \end{aligned}$ |
| 2992 | s |  |  | 2993 | 590 | 2995 | 260 | p | 1 |

${ }^{*}$ See footnote $a$, Table $1 .{ }^{h}$ See footnote $b$, Table 1. ${ }^{\prime}$ (818). In $\mathrm{CHCl}_{3}$ solution. ${ }^{d}$ See footnote $d$. Table I. ${ }^{c}$ See footnote $e$, Table 1.
$d_{8}$. NMR showed that the deuterium content is $96 \pm 1 \%$ of the total $[D+H]$. If the figure is $96 \%$, and if the distribution is statistical, then there is $72 \% d_{8}, 24 \% d_{7}$, and $4 \% d_{6}$ (not all of which is $s y m-d_{6}$ ). The spectrum of $d_{8}$ does show a considerable amount of isotopic impurity. This not only gives many extraneous bands; it also dilutes the $d_{8}$ and makes many of its
bands appear to be very weak.
Evidence for isotopic impurity in $d_{8}$ consists of the following: (a) Bands which appear in both the infrared and Raman spectra (agreeing within $3 \mathrm{~cm}^{-1}$ ) (not permitted for $O_{h}$ or $S_{6}$ symmetry except by accident). Examples are 638, 711, 768, $924,960,1005,1156,2052,2975$, and $2993 \mathrm{~cm}^{-1}$. We do not


Figure 2. Spectra of cubane. (There is a $2 \times$ scale change at $2000 \mathrm{~cm}^{-1}$.) Upper, infrared of solid at $\sim 100 \mathrm{~K}\left(1-2 \mathrm{~cm}^{-1}\right.$ slits): (A) absorption by water on cell windows; (B) absorption by KBr windows; (E) discontinuity due to grating change. Lower, Raman of solid at room temperature, 4880-À excitation, $5-\mathrm{cm}^{-1}$ slits; (C) Hg line from room lighting; (D) bands due to glass of sample tube.
attribute $686(\mathrm{I})$ and $684(\mathrm{R})$ to $d_{7}$ because each is very intense. The infrared band is assigned to an allowed $f_{l u}$ fundamental. Also the IR and Raman values in $\mathrm{CCl}_{4}$ solution differ by 15 $\mathrm{cm}^{-1}$. (b) Weak bands which appear a few $\mathrm{cm}^{-1}$ higher than stronger bands of $d_{8}$. The former may be due to $d_{7}$. Examples are 532,674 , and $1032 \mathrm{~cm}^{-1}$. (c) Some infrared bands which appear in both solid and solution. Assuming that the effective symmetry in solution is $O_{h}$, only modes of $\mathrm{f}_{\mathrm{lu}}$ symmetry are permitted. The three $f_{1 u}$ modes are easily identified (see later). Other infrared bands in solution which cannot be explained as $\mathrm{F}_{14}$ combination tones are probably due to $d_{7}$. Examples are $711,768,791,1156$, and $1185 \mathrm{~cm}^{-1}$.

Two of the above frequencies will actually be assigned to $d_{8}$ fundamentals later in spite of the suspicion that they are due to $d_{7}$ (924 and $960 \mathrm{~cm}^{-1}$ ).

The Raman bands of $d_{8}$ in solution at 570 and $606 \mathrm{~cm}^{-1}$ are attributed to an impurity because they are highly polarized. For $d_{8}$ there are only two polarized fundamentals, and they are certainly 956 and $2259 \mathrm{~cm}^{-1}$. There is no way that totally symmetric combination tones can be obtained at 570 and 606 $\mathrm{cm}^{-1}$. These bands must therefore arise from some extraneous substance. Furthermore, a Raman band was observed at 570 $\mathrm{cm}^{-1}$ in the $\mathrm{CCl}_{4}$ solution of every sample of every cubane that we have examined in this work. (This was not true for the solids, however.) For $d_{8}$, the intensity of the $570-\mathrm{cm}^{-1}$ band in
solution increased with time, further suggesting that it was due to a chemical impurity.

Finally, the $448-\mathrm{cm}^{-1}$ infrared band of $d_{8}$ is attributed to an impurity because there is no reasonable corresponding band in any of the other cubanes. Its counterpart in $d_{0}$ must not be greater than $448 \times 1.35$ (the maximum isotopic shift ratio) $=$ 605. The only bands between 448 and $605 \mathrm{~cm}^{-1}$ in all the other cubanes can be nicely accounted for in other ways.
$\boldsymbol{d}_{1}$. NMR indicated the isotopic labeling to be $99 \pm 1 \%$ complete. ${ }^{6}$ The Raman band at $1002 \mathrm{~cm}^{-1}$ could be due to $d_{0}$, but if so it seems to also coincide with another mode. This will be discussed later under "Assignments for $d_{1}$ ". There are no other places in the spectrum where one can get a sensitive test for $d_{0}$ impurity in $d_{1}$.
$\boldsymbol{d}_{2}$. NMR indicated the deuterium content at the labeled positions to be $99 \pm 1 \% .{ }^{6}$ The spectrum of $d_{1}$ provides a useful check on the purity of $d_{2}$. For example, the very strong Raman-active band of each compound near $1000 \mathrm{~cm}^{-1}$, due to the "cube breathing" mode, gives evidence in $d_{2}$ for some $d_{1}\left(994 \mathrm{~cm}^{-1}\right)$ and a little $d_{0}\left(1001 \mathrm{~cm}^{-1}\right)$. Infrared-Raman coincidences should not occur in $d_{2}$ except by chance, but several are observed (agreement within $3 \mathrm{~cm}^{-1}$ ). Two of these are attributed to $d_{1}$ impurity: 724 and $890 \mathrm{~cm}^{-1}$. These bands are at least moderately strong in $d_{1}$, and for it the coincidence is allowed.


Figure 3. Spectra of $s y m$-cubane- $d_{2}$. See Figure 2 for full caption.

Table VI. Correlation of the Vibrations"

$\boldsymbol{d}_{6}$. NMR showed the deuterium content at the labeled positions to be $96 \pm 2 \% .{ }^{6}$ The spectra show considerable evidence for isotopic impurity, viz.: (a) Several strong bands assigned as fundamentals for $d_{6}$ have weaker satellite bands a few

Table VII. Data for Calculating Product Rule Ratios"

| compd | $M$ | $I_{z}$ | $I_{4}$ |
| :--- | :---: | :---: | :---: |
| cubane- $d_{0}$ | 104.15 | 146.6 | 146.6 |
| sym$_{0}$ cubane $d_{2}$ | 106.17 | 146.6 | 158.4 |
| ${\text { sym-cubane }-d_{6}}^{\text {cubanc- } d_{8}}$ | 110.19 | 177.6 | 166.1 |

" $M=$ molecular weight; $I=$ moment of inertia (in annu $\mathrm{A}^{2}$ ). $r(\mathrm{C}-\mathrm{C})=1.551 \AA ; r(\mathrm{C}-\mathrm{H})$ and $r(\mathrm{C}-\mathrm{D})=1.06 \AA$.
wavenumbers higher which are assigned to $d_{5}$. The best example is the very strong Raman cube breathing mode at 967 $\mathrm{cm}^{-1}$, which has highly polarized satellite bands at 971 and $978 \mathrm{~cm}^{-1}$ that are attributed to $d_{5}$ and $d_{4}$, respectively. Other examples are 716 and $992 \mathrm{~cm}^{-1}$. (b) Several bands which are observed in both the infrared and Raman spectra are attributed to $d_{5}\left(716,847,1184 \mathrm{~cm}^{-1}\right)$.

## Assignments for the $g$ Modes of $\boldsymbol{d}_{\mathbf{0}}$ and $\boldsymbol{d}_{\mathbf{8}}$

Now having removed at least some of the extraneous features from the data, we are ready to start on the assignments. The g modes for $d_{0}, d_{2}, d_{6}$, and $d_{8}$ will be considered first, followed by their u modes. Since $d_{1}$ does not have a center of symmetry, it will be postponed until last.

The assignments are included in Tables I-V, and are summarized in Table IX. in the discussion the frequencies quoted will usually be those for the solid because many frequencies do not appear in solution, especially in the infrared spectra.

Table VIII. Theoretical vs. Observed Product Rule Ratios ( $\tau$ 's) for the Cubanes

| isotopic pair |  | $O_{h}$ Species |  |  |  |  |  |  | $\mathrm{f}_{14}$ | $\mathrm{f}_{24}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\mathrm{a}_{1 \mathrm{~g}}$ | $\mathrm{c}_{\mathrm{g}}$ | $\mathrm{f}_{1 \mathrm{E}}$ | $\mathrm{f}_{2 \mathrm{~g}}$ | $\mathrm{a}_{24}$ | $\mathrm{e}_{\mathrm{u}}$ |  |  |  |
| $d_{1 /} / d_{8}$ | theor | 1.414 | 1.414 | 1.285 | 2.000 | 1.414 | 1.414 |  | 1.927 | 1.414 |
|  | obsd | 1.390 | 1.406 | 1.278 | 1.912 | 1.383 | 1.404 |  | 1.877 | 1.379 |
| $D_{3 d}$ Species |  |  |  |  |  |  |  |  |  |  |
|  |  | $\mathrm{a}_{1 \mathrm{~g}}$ |  | $\mathrm{a}_{28}$ | $\mathrm{c}_{\underline{g}}$ | $\mathrm{a}_{14}$ |  | $a_{2 u}$ |  | $\mathrm{e}_{\mathrm{u}}$ |
| $d_{0} / d_{2}$ | theor obsd | 1.414 |  | 1.000 | 1.361 | 1.000 |  | 1.401 |  | 1.401 |
|  |  | 1.389 |  | 1.000 | 1.345 | 1.002 |  | 1.371 |  | 1.378 |
| $d_{0} / d_{0}$ | theor obsd | 2.000 |  | 1.285 | 2.658 | 1.414 |  | 1.944 |  | 2.750 |
|  |  | 1.949 |  | 1.278 | 2.577 | 1.375 |  | 1.912 |  | 2.690 |
| $d_{2} / d_{6}$ | theor | 1.414 |  | 1.285 | 1.953 | 1.414 |  | 1.388 |  | 1.963 |
|  | obsd | 1.404 |  | 1.278 | 1.915 | 1.371 |  | 1.394 |  | 1.952 |
| $d_{2} / d_{8}$ | theor obsd | 2.000 |  | 1.285 | 2.671 | 1.414 |  | 1.945 |  | 2.751 |
|  |  | 1.913 |  | 1.278 | 2.555 | 1.376 |  | 1.894 |  | 2.637 |
| $d_{6} / d_{*}$ | theor obsd |  | 1.414 | 1.000 | 1.367 | 1.000 |  | 1.401 |  | 1.401 |
|  |  |  | 1.363 | 1.000 | 1.334 | 1.003 |  | 1.359 |  | 1.351 |



Figure 4. Spectra of $s y m$-cubane- $d_{6}$. See Figure 2 for full caption.

For $O_{h}$ symmetry the $g$ fundamentals are $2 \mathrm{a}_{1 \mathrm{~g}}(\mathrm{R}, \mathrm{p})+$ $2 \mathrm{e}_{\mathrm{g}}(\mathrm{R})+1 \mathrm{f}_{1 \mathrm{~g}}+4 \mathrm{f}_{2 \mathrm{~g}}(\mathrm{R})$.
A. g Modes for $\boldsymbol{d}_{0}$. It is simplest to start with $d_{0}$ because one does not have to worry a bout incomplete deuteration for it. It does have $1-2 \%$ of an unknown chemical impurity which may be responsible for a few weak bands that we cannot explain any other way. We reiterate that the solution follows $O_{h}$ selection rules, and the solid follows $S_{6}$. By examining Table VIB one sees that the $g$ modes for $d_{0}$ and $d_{8}$ can, in principle, be sorted
out in the following way: $\mathrm{a}_{1 \mathrm{~g}}$ bands are polarized in solution; $f_{1 g}$ bands are forbidden in solution but allowed in the crystal; $f_{2 g}$ bands are allowed in both, and give doublets in the crystal; $e_{g}$ bands are allowed in both, but give singlets in the crystal.

1. $\mathbf{a}_{1 \mathrm{~g}}$. Depolarization ratios and intensities clearly indicate that these two fundamentals are at 2995 and $1002 \mathrm{~cm}^{-1}$. Note that because the molecule is cubic, $\rho$ should be zero, and that it is so within experimental error.
2. $\mathbf{f}_{1 \mathbf{g}}$. There is only one mode in this species, a C-H bend.


Figure 5. Spectra of cubane-d8. See Figure 2 for full caption.

It is forbidden in solution but allowed in the crystal. There is only one candidate: the weak band at $1130 \mathrm{~cm}^{-1}$. Although it should be a doublet in the crystal, it is not. The assignment will be verified by $d_{6}$ and $d_{8}$ results to be given later.
3. $\mathbf{f}_{\mathbf{2 g}}$. These four fundamentals should occur in both solution and solid, and be doublets in the latter. The doublet property suggests 2970,1182 , and $821 \mathrm{~cm}^{-1}$ (all solution values). The fourth one is not obvious and we defer it for a bit.
4. $\mathrm{e}_{\mathrm{g}}$. These two modes are allowed in both solution and solid, but are singlets in the latter. The extremely intense $912-\mathrm{cm}^{-1}$ band is a clear choice, but the second one is not obvious.

There are only five candidates for the two missing g fundamentals: 665 , possibly 827 (the separation between 815 and 827 is larger than for any other doublet in $d_{0}$ or $\left.d_{8}\right), \sim 1026$, 1083 , and $\sim 1223 \mathrm{~cm}^{-1}$. We will turn to the deuterium derivatives for help in making the selection.
B. g modes for $\boldsymbol{d}_{8} .1 . \mathrm{a}_{1 \mathrm{~g}}$. Polarization and intensity clearly indicate that these two fundamentals are at 2259 and 956 $\mathrm{cm}^{-1}$. The product rule ratio is satisfactory (Table VIII).

Vibration $\nu_{2}$, the cube breathing mode, can easily be located in all the intermediate deuterated compounds except $d_{3}$, because it decreases linearly by $5.75 \mathrm{~cm}^{-1}$ per D atom (Table XA). Adding one atomic mass unit by substituting a ${ }^{13} \mathrm{C}$ for a ${ }^{12} \mathrm{C}$ atom has exactly the same effect as substituting a D for a H atom, viz., $\nu_{2}$ is lowered by about $6 \mathrm{~cm}^{-1}$. Thus in $d_{0} \nu_{2}$ is lowered from 1002 to $996 \mathrm{~cm}^{-1}$ in the ${ }^{13} \mathrm{C}$ compound, and in $d_{8}$ from 956 to $950 \mathrm{~cm}^{-1}$. The concentration of molecules
containing one ${ }^{13} \mathrm{C}$ atom is $8.2 \%$ of the total, so the intensities are reasonable.
2. $\mathbf{f}_{1}$. This one mode is expected in the solid only. Since the mode is at $1130 \mathrm{~cm}^{-1}$ in $d_{0}$, the product rule unequivocally selects $884 \mathrm{~cm}^{-1}$ in $d_{0}$. This choice will be verified later by the data for $d_{6}$.
3. $\mathrm{f}_{2 \mathrm{~g}}$. These modes should give doublets in the crystal. Possibilities are 715 (the 710 component is also in the infrared, but the two Raman bands are quite intense for $d_{7}$ impurity), 1027 , and $2232 \mathrm{~cm}^{-1}$. Again one is missing. It will turn out, too, that we shall later be forced to assign $1027 \mathrm{~cm}^{-1}$ to $\mathrm{e}_{\mathrm{g}}$ in spite of its being a doublet. Therefore two more $f_{2 g}$ fundamentals are needed.
4. eg. These modes are permitted in both solution and crystal, and are singlets in the crystal. The very strong $684-\mathrm{cm}^{-1}$ band is an obvious choice. It seems to be the counterpart of $912 \mathrm{~cm}^{-1}$ in $d_{0}$ on the basis of (a) high intensity, (b) the unusually large frequency shift between crystal and solution ( $13 \mathrm{~cm}^{-1}$ for $d_{0}$ and $15 \mathrm{~cm}^{-1}$ for $d_{8}$ ). This mode can easily be traced through the intermediate compounds (Table XB). We are therefore confident that $912 \mathrm{~cm}^{-1}$ in $d_{0}$ should be paired with $684 \mathrm{~cm}^{-1}$ in $d_{8}$. The large decrease shows that they belong to a $\mathrm{C}-\mathrm{H}$ bend.

This leaves an $e_{g}$ and one or two $f_{2 g}$ fundamentals to be identified in both $d_{0}$ and $d_{8}$. It is helpful now to look at the data for $d_{1}, d_{2}$, and $d_{6}$.
C. Help from the Raman Bands of $d_{1}, d_{2}$, and $d_{6}$. The

Table IX. Assignments for the Fundamental Vibrations of Cubane- $d_{0},-d_{2},-d_{6}$, and $-d_{8}{ }^{h}$

| $\begin{gathered} D_{3 d} \\ \text { species } \\ \hline \end{gathered}$ | $\begin{gathered} O_{h} \\ \text { species } \end{gathered}$ |  | no. | schematic descripn | $d_{0}$ | sym-d ${ }_{2}$ | sym-d ${ }_{6}$ | $d_{8}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathrm{R}(\mathrm{p})$ | $\mathrm{a}_{1 \mathrm{~g}}$ | R (p) | 1 | C-H str | 2995 | 2993 | 2254 | 2259 |
|  |  |  | 2 | $\mathrm{C}-\mathrm{C}$ str | 1002 | 991 | 967 | 956 |
|  | $\mathrm{f}_{2 \mathrm{~g}}$ | R | 13a | C-H str | 2970 | 2237 | 2978 | 2232 |
|  |  |  | 14a | $\mathrm{C}-\mathrm{H}$ bend \} | 1182 | 1168 | 1083 | 1072 |
|  |  |  | 15a | C-C str $\}$ | 821 | 821 | 725 | 715 |
|  |  |  | 16a | $\mathrm{C} \mathrm{C}_{3}$ def | 665 | 651 | 579 | 586 |
| $\mathrm{a}_{2 \mathrm{~g}}$ | $\mathrm{f}_{1 \mathrm{~g}}$ |  | 9 a | $\mathrm{C}-\mathrm{H}$ bend | 1130 | (1130) | 884 | 884 |
|  | $\mathrm{e}_{\mathrm{g}}$ | R | 5 | $\mathrm{C}-\mathrm{C}$ str | 1083 | 1016 | $1035^{\text {a }}$ | 1027 |
|  |  |  | 6 | C-H bend | 912 | 875 | $704{ }^{\text {a }}$ | 684 |
|  | $\begin{aligned} & f_{1 g} \\ & f_{2 g} \end{aligned}$ | R | 9 b | $\mathrm{C}-\mathrm{H}$ bend | 1130 | 1100 | $985{ }^{\text {a }}$ | 884 |
|  |  |  | 13b | $\mathrm{C}-\mathrm{H} \operatorname{str}$ | 2970 | 2970 | 2229 | 2232 |
|  |  |  | 14b | $\mathrm{C}-\mathrm{H}$ bend | 1182 | 1174 | 1145 | 1072 |
|  |  |  | 15b | C-Cstr $\}$ | 821 | 738 | $758{ }^{\text {a }}$ | 715 |
|  |  |  | 16b | $\mathrm{C}^{\text {C }}$ def | 665 | 632 | 598 | 586 |
| $\mathrm{a}_{14}$ | $\mathrm{f}_{2 u}$ |  | 17a | C-Cstr | 1036 | 1036 | 927 | 924 |
|  |  |  | 18a | $\mathrm{C}-\mathrm{H}$ bend $\}$ | 829 | $\sim 827$ | 674 | (674) |
| $\mathrm{a}_{24} \quad 1$ | $\mathrm{a}_{2}{ }^{\text {u }}$ |  | 3 | C-H str | [~2978] | 2968 | 2242 | [ $\sim 2239]$ |
|  |  |  | 4 | $\mathrm{CC}_{3}$ def | 839 | 838 | 807 | 807 |
|  | $\mathrm{f}_{14}$ | 1 | 10a | C-H str | 2978 | 2240 | 2974 | 2240 |
|  |  |  | 11a | C-C str | 1230 | 1201 | 1100 | 1083 |
|  |  |  | 12a | $\mathrm{C}-\mathrm{H}$ bend | 853 | 851 | 690 | 686 |
| $\mathrm{c}_{\mathrm{u}} \quad 1$ | $\mathrm{e}_{u}$ |  | 7 |  |  | 1109 | 1014 | 960 |
|  |  |  | 8 | $\left.\mathrm{C}-\mathrm{C}_{3} \operatorname{def}\right\}$ | 617 | 574 | 538 | 527 |
|  | $\mathrm{f}_{14}$ | 1 | 10b | $\mathrm{C}-\mathrm{H}$ str | 2978 | 2977 | 2236 | 2240 |
|  |  |  | 11 b | $\mathrm{C}-\mathrm{C}$ str | 1230 | 1222 | 1164 | 1083 |
|  |  |  | 12b | $\mathrm{C}-\mathrm{H}$ bend | 853 | 844 | 786 | 686 |
|  | $\mathrm{f}_{2 u}$ |  | 17b | C-Cstr | 1036 | 995 | 975 | 924 |
|  |  |  | 18b | $\mathrm{C}-\mathrm{H}$ bend $\}$ | 829 | 711 | 651 | (674) |

${ }^{\wedge}$ To satisfy the noncrossing rule, 1035 and $985 \mathrm{~cm}^{-1}$ in $d_{6}$ should be interchanged, and so should 704 and $758 \mathrm{~cm}^{-1}$. See text. ${ }^{b}$ Values in parentheses were estimated from the product rule; values in brackets were estimated from the resonance pair.

Table X. Some Details for Several Fundamentals

| vibration no. | $d_{0}$ | $d_{1}$ | $d_{2}$ | $d_{3}$ | $d_{4}$ | $d_{5}$ | $d_{6}$ | $d_{7}$ | $d_{8}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A. $\nu_{2}$ (obsd) | 1002 | 996 | 991 |  | $978{ }^{\text {a }}$ | $971{ }^{\text {a }}$ | 967 | $960^{\text {b }}$ | 956 |
| $\nu_{2}$ (estd) |  | 996 | 991 | 985 | 979 | 973 | 968 | 962 |  |
| B. $\nu_{6}$ | 912 | 898 | 875 |  |  | $716^{\text {a }}$ | 704 |  | 684 |
| $\begin{aligned} & \nu_{6}(\text { (solid) } \\ & \quad-\nu_{6}(\text { soln }) \end{aligned}$ | 13 | 11 | 9 |  |  |  | 8 |  | 15 |
| C. $\nu_{16}$ | 665 | $\begin{array}{r} \sim 659 \mathrm{sh} \\ 652 \mathrm{dp} \\ \hline \end{array}$ | $\begin{aligned} & 651 \mathrm{p} \\ & 632 \mathrm{dp} \end{aligned}$ |  |  |  | $\begin{aligned} & 598 \mathrm{dp} \\ & 579 \mathrm{p} \end{aligned}$ |  | 586 |

" From isotopic impurity in the $d_{6}$ sample. See Table IV. ${ }^{h}$ From isotopic impurity in the $d_{8}$ sample. See Table II.
$665-\mathrm{cm}^{-1}$ band of $d_{0}$ can be traced through the intermediate compounds to $586 \mathrm{~cm}^{-1}$ in $d_{8}$ as shown in Table XC. In $d_{1}, d_{2}$, and $d_{6}$ it gives two bands, and in $d_{2}$ and $d_{6}$ one of each pair is polarized. This is just what is expected if, and only if, $665 \mathrm{~cm}^{-1}$ is an $\mathrm{f}_{2 \mathrm{~g}}$ mode, for on going from $O_{h}$ to $D_{3 d}$ symmetry an $\mathrm{f}_{2 \mathrm{~g}}$ mode splits into $\mathrm{a}_{1 \mathrm{~g}}(\mathrm{p})$ and $\mathrm{e}_{\mathrm{g}}(\mathrm{dp})$. An $\mathrm{e}_{\mathrm{g}}$ mode does not give two components when the symmetry is lowered to $C_{3 c}\left(d_{1}\right)$ or $D_{3 d}\left(d_{2}\right.$ and $\left.d_{6}\right)$. Therefore we have good evidence that 665 $\left(d_{0}\right)$ and $586 \mathrm{~cm}^{-1}\left(d_{8}\right)$ are $\mathrm{f}_{2 \mathrm{~g}}$ modes, and since they are the lowest Raman bands they must be $\nu_{16}$. This is nominally a cube deformation, and the numerical value seems reasonable.
D. Completing $f_{2 g}$ and $e_{g}$. We now know all four $f_{2 g}$ fundamentals for $d_{0}$ and three of them for $d_{8}$. The product rule indicates that the fourth in $d_{8}$ is about $1050 \mathrm{~cm}^{-1}$. There is nothing there, but this is roughly midway between the strong depolarized Raman lines at 1072 (singlet) and $1027 \mathrm{~cm}^{-1}$ (doublet). One would like to use $1027 \mathrm{~cm}^{-1}$ because it is a doublet in the crystal, but it gives a product rule ratio of 1.996 , which is too high compared to the theoretical 2.000 . We therefore adopt $1072 \mathrm{~cm}^{-1}$ (which gives a ratio of 1.912 , too
low), and assign $1027 \mathrm{~cm}^{-1}$ to $\nu_{5}\left(\mathrm{e}_{\mathrm{g}}\right)$ of $d_{8}$. However, an $\mathrm{e}_{\mathrm{g}}$ mode should not give a doublet, so we suggest that the 1032 -$\mathrm{cm}^{-1}$ component, which is much weaker, is due to $d_{7}$.

An alternative possibility is that 1027 and $1072 \mathrm{~cm}^{-1}$ in $d_{8}$ may be a Fermi resonance pair. Their average is $1050 \mathrm{~cm}^{-1}$. There is a very weak infrared band at $527 \mathrm{~cm}^{-1}$ which will later be assigned to an $\mathrm{e}_{\mathrm{u}}$ fundamental. It is possible that $2 \times 527$ $=1054 \mathrm{~cm}^{-1}\left(\mathrm{~A}_{1 \mathrm{~g}}+\mathrm{E}_{\mathrm{g}}\right)$ could interact with the missing $\mathrm{e}_{\mathrm{g}}$ fundamental at about $1050 \mathrm{~cm}^{-1}$ to give the two observed bands. However, it is an $f_{2 g}$ fundamental which the product rule suggests is about $1050 \mathrm{~cm}^{-1}$, and it would not interact with this overtone. Consequently we reject this possibility.

Turning now to the eg modes, we have assigned $912 \mathrm{~cm}^{-1}$ in $d_{0}$ and 1027 and $684 \mathrm{~cm}^{-1}$ in $d_{8}$. The product rule suggests that the missing one in $d_{0}$ is about $1070 \mathrm{~cm}^{-1}$. There is a weak band at $1083 \mathrm{~cm}^{-1}$ which we adopt.

If we had interchanged the assignments of 1072 and 1027 $\mathrm{cm}^{-1}$ (putting $1072 \mathrm{~cm}^{-1}$ in $\mathrm{e}_{\mathrm{g}}$ and $1027 \mathrm{~cm}^{-1}$ in $\mathrm{f}_{2 \mathrm{~g}}$ ), we would have had two problems: (a) a high $\tau$ for $\mathrm{f}_{2 \mathrm{~g}}$ (1.996) and (b) finding a satisfactory frequency for $\nu_{5}$ of $d_{0}$. The product
rule indicates that it should be around $1120 \mathrm{~cm}^{-1}$. The closest Raman bands are $1130 \mathrm{~cm}^{-1}$, which is surely $\nu_{9}$, and 1083 $\mathrm{cm}^{-1}$. The latter gives a $\tau$ for $\mathrm{e}_{\mathrm{g}}$ of 1.347 , which is too low compared to $\tau$ (theor) $=1.414$. More important is that there are no reasonable Raman frequencies for $\nu_{5}$ in $d_{2}$ and $d_{6}$ between $1083\left(d_{0}\right)$ and $1072 \mathrm{~cm}^{-1}\left(d_{8}\right)$. Hence we reject this alternative too.

This completes the g fundamentals for $d_{0}$ and $d_{8}$. We now turn to those for $d_{2}$ and $d_{6}$.

## g Modes for $\boldsymbol{d}_{\mathbf{2}}$ and $\boldsymbol{d}_{\mathbf{6}}$

When giving wavenumbers for the four compounds $d_{0}, d_{2}$, $d_{6}$, and $d_{8}$, we will for brevity list them in that order without specifying the compounds explicitly. For example, $\nu_{2}$ is 1002 , 991,967 , and $956 \mathrm{~cm}^{-1}$. Vibrations $\nu_{2}, \nu_{6}, \nu_{16 \mathrm{a}}$, and $\nu_{16 \mathrm{~b}}$ have already been traced through the series (see Table $X$ ).
$\mathbf{a}_{1 \mathrm{~g}}$ for $\boldsymbol{D}_{\mathbf{3 d}}$. This species contains two $\mathrm{C}-\mathrm{H}$ stretches. One of them involves the stretching of the H's (or D's) on the $C_{3}$ axis. Its frequency will therefore be high for $d_{0}$, low for $d_{2}$, high for $d_{6}$, and low for $d_{8}$. We arbitrarily designate this one as $\nu_{13 \mathrm{a}}$. The other $\mathrm{C}-\mathrm{H}$ stretch $\left(\nu_{1}\right)$ will then be high-high-low-low. The observed depolarizations make it easy to select these. $\nu_{1}$ is 2995-2993-2254-2259, and $\nu_{13 \mathrm{a}}$ is 2970-2237-2978-2232 $\mathrm{cm}^{-1}$.

It is also easy to trace $\nu_{14 \mathrm{a}}$ and $\nu_{15 \mathrm{a}}$ through the series because they are polarized in $d_{2}$ and $d_{6}$. Values for $\nu_{14 \mathrm{a}}$ are 1182-1168-1083-1072, and for $\nu_{15 \mathrm{a}}$ are 821-821-725-715 $\mathrm{cm}^{-1}$. The $d_{2}$ band at $821 \mathrm{~cm}^{-1}$ is actually depolarized, but this is permissible and the numerical value is appropriate.
$\mathbf{a}_{\mathbf{2 g}}$ for $\boldsymbol{D}_{\mathbf{3 d}}$. There is only one mode in this species $\left(\nu_{9 \mathrm{a}}\right)$. It is forbidden in solution, but is allowed in the crystal. Since it involves a $\mathrm{C}-\mathrm{H}$ bend in which H 's on the $C_{3}$ axis do not participate, its frequency should be the same for $d_{0}$ and $d_{2}$, and also for $d_{6}$ and $d_{8}$. We have already assigned it to $1130 \mathrm{~cm}^{-1}$ in $d_{0}$ and $884 \mathrm{~cm}^{-1}$ in $d_{8}$. In $d_{2}$ there is a band at $1133 \mathrm{~cm}^{-1}$, but it is present in both solution and solid and it is polarized. It therefore cannot be due solely to $\nu_{9 \mathrm{a}}$. We do not know its origin. However, $d_{1}$ has a band at $1132 \mathrm{~cm}^{-1}$ in the Raman spectrum of the solid which adds support to the assignment. In $d_{6}$ there is a very weak band in the solid at $884 \mathrm{~cm}^{-1}$. This also is helpful confirmation of the assignment.
$\mathrm{e}_{\mathrm{g}}$ modes for $\boldsymbol{D}_{3 \mathrm{~d}}$. Vibrations $\nu_{6}$ and $\nu_{16 \mathrm{~b}}$ have already been identified (Table X). The $\mathrm{C}-\mathrm{H}$ stretch $\nu_{13 \mathrm{~b}}$ is straightforward. It will be high-high-low-low, and the values 2970-2970-2229-2232 $\mathrm{cm}^{-1}$ seem reliable. For $\nu_{14 \mathrm{~b}}$ the choices $1182-$ 1174-1145-1072 $\mathrm{cm}^{-1}$ are fairly obvious.

There are three nominal $\mathrm{C}-\mathrm{H}$ bends in this species. One of them $\left(\nu_{6}\right)$ has been identified. One of the other two is a bend of the $\mathrm{C}-\mathrm{H}$ 's that lie on the $C_{3}$ axis, so in zero approximation it should go high-low-high-low. For $\nu_{15 b}$ we select the values 821-738-758-715 $\mathrm{cm}^{-1}$ for the following reasons. In $d_{2}$ the only candidates are 821 and $738 \mathrm{~cm}^{-1}$. Since $821 \mathrm{~cm}^{-1}$ has already been used for $\nu_{15 \mathrm{a}}$, we try $738 \mathrm{~cm}^{-1}$ for $\nu_{15 \mathrm{~b}}$. In $d_{6}$ there are six bands between 821 and $715 \mathrm{~cm}^{-1}$. The strongest by far is $758 \mathrm{~cm}^{-1}$, so we shall try it. The above sequence goes high-low-high-low, so it may have considerable contribution from the axial $\mathrm{C}-\mathrm{H}$ bend.

For $\nu_{5}$ three values are easily selected: 1083-?-1035-1027 $\mathrm{cm}^{-1}$. In $d_{2}$ nothing was observed between 1100 and 1016 $\mathrm{cm}^{-1}$. This may be a case of first-order interaction in $d_{2}$, with $\nu_{5}$ being pushed down to $1016 \mathrm{~cm}^{-1}$ and $\nu_{9 b}$ up to $1100 \mathrm{~cm}^{-1}$. We adopt these two assignments. In $d_{6} \nu_{9 \mathrm{~b}}$ should be higher than $884 \mathrm{~cm}^{-1}$, the value in $d_{8}$. The next higher depolarized band is $985 \mathrm{~cm}^{-1}$, which we use.

This completes the assignments of the $g$ modes for all four molecules. The product rule ratios for all the various isotopic pairs are given in Table VIII, and are generally satisfactory.

In species $\mathrm{e}_{\mathrm{g}}$ there are two crossings in going from $d_{2}$ to $d_{6}$. Vibration $\nu_{9 \mathrm{~b}}$ is higher than $\nu_{5}$ in $d_{2}$ and lower than $\nu_{5}$ in $d_{6}$. Similarly $\nu_{6}$ is higher than $\nu_{15 \mathrm{~b}}$ in $d_{2}$ and lower than $\nu_{15 \mathrm{~b}}$ in $d_{6}$. Although in principle this cannot occur because of the noncrossing rule, and we should interchange the designations in $d_{6}$ to remove it, in fact it makes no difference. There are advantages to the present arrangement because it is easier to follow a mode through the sequence of molecules. For example, for $\nu_{6}$ of $d_{6}, 704 \mathrm{~cm}^{-1}$ was chosen rather than $758 \mathrm{~cm}^{-1}$ because of its greater intensity and greater solid-solution frequency shift. However, the two have mixed in $d_{6}$ and share these identifying characteristics to some extent. Thus $\Delta \bar{\nu}$ is 8 $\mathrm{cm}^{-1}$ for $704 \mathrm{~cm}^{-1}$ and $5 \mathrm{~cm}^{-1}$ for $758 \mathrm{~cm}^{-1}$, whereas for 684 $\mathrm{cm}^{-1}$ in $d_{8}$ it is $15 \mathrm{~cm}^{-1}$. The noncrossing rule does not hold in going from $d_{6}$ to $d_{8}$ if the two modes that cross are in different species in $d_{8}$.

## Remaining Raman Bands

Explanations for the remaining Raman bands are included in Tables I-IV. Only binary sum tones were used; ternary combinations were not tried. Difference tones are improbable because even the lowest fundamentals are fairly high. (Even for $d_{8}$ all the fundamentals are greater than $525 \mathrm{~cm}^{-1}$ ). Furthermore, the infrared spectra of the solids were obtained at $\sim 100 \mathrm{~K}$, making difference tones originating from $u$ levels highly unlikely. All the sum tones which are given are symmetry allowed for our assignments. In many cases there are additional explanations which could be given but which we have not bothered to list. A few comments will be made about each molecule.
$\boldsymbol{d}_{\mathbf{0}}$. There are only three Raman bands of $d_{0}$ which cannot be explained: 2154,2205 , and $2328 \mathrm{~cm}^{-1}$. Since they are all very weak, they do not offer an obstacle.
$\boldsymbol{d}_{8}$. Many of the remaining bands may be due to $d_{7}$. The only one we wish to comment on is $2052 \mathrm{~cm}^{-1}$, for which $\rho=0.60$. For $d_{8} \rho$ should be either 0 or 0.75 . We therefore believe that two bands are superimposed here: the overtone of $1027 \mathrm{~cm}^{-1}$ with $\rho=0$ and a band of $d_{7}$ with $\rho=0.75$.
$\boldsymbol{d}_{2}$. The most serious unanswered questions are how to explain 2985 (intensity 180 ) and $2246 \mathrm{~cm}^{-1}$ (intensity 50 ). Neither is due to $d_{1}$, for we know its spectrum.
$d_{6}$. The worst problems here are presented by 738 (intensity 35), 847 (35), and $1029 \mathrm{~cm}^{-1}$ (15). The first two may be due to $d_{5}$.

On the whole we are well satisfied with the assignments for the g modes. We turn now to those for the u fundamentals.

## Assignments for the $u$ Modes of $\boldsymbol{d}_{\mathbf{0}}$ and $\boldsymbol{d}_{\mathbf{8}}$

For $O_{h}$ symmetry the $u$ fundamentals are $2 \mathrm{a}_{2 \mathrm{u}}+2 \mathrm{e}_{u}+$ $3 f_{1 u}(I)+2 f_{2 u}$. Only the three $f_{1 u}$ modes are active. All other u fundamentals are forbidden for $O_{h}$, but allowed in the crystal (Table VIB). We assume that the crystal structure of the samples at $\sim 100 \mathrm{~K}$ used for the infrared measurements is the same as the crystal structure of the solid at room temperature, so that the $S_{6}$ factor group applies also for the infrared data. This is a key assumption. We have no proof that it is correct except that it seems to work.

It is going to be more difficult to assign the $u$ modes than the g ones because most of the u modes are forbidden for $O_{h}$ symmetry. Even when allowed in the crystal by the $S_{6}$ symmetry, they will probably be weak. Also there is no experimental feature to separate $a_{2 u}$ and $e_{u}$ vibrations (Table VIB).
$\mathbf{f}_{1 \mathrm{u}}$. These three fundamentals are the only $\mathbf{u}$ ones allowed for $O_{h}$ symmetry. They are therefore expected to be relatively intense in solution as well as for the solid. In $d_{0}$ they are easily identified as 2978,1230 , and $853 \mathrm{~cm}^{-1}$. In $d_{8} 2240$ and 686 $\mathrm{cm}^{-1}$ are surely two of them. Candidates for the third are 1156
and $1083 \mathrm{~cm}^{-1}$, and the product rule shows that $1083 \mathrm{~cm}^{-1}$ is the correct choice. These modes should be doublets in the crystal, and all of them are. (See below concerning the $\mathrm{C}-\mathrm{H}$ stretch.)

C-H Stretches. There are only two $u$-type $\mathrm{C}-\mathrm{H}$ stretches for $O_{h}$ symmetry: $\nu_{3}$ in $a_{2 u}$ and $\nu_{10}$ in $\mathrm{f}_{1 \mathrm{u}}$. They present an interesting situation. In $d_{0}$ only one $\mathrm{C}-\mathrm{H}$ stretch is observed in solution as expected ( $2977 \mathrm{~cm}^{-1}$ ), but there are three in the solid: 2965 (s), 2978 (vs), and $2992 \mathrm{~cm}^{-1}$ (vs). It is impossible to account for the third one as a binary sum tone, so another explanation is needed. We recall that, when the symmetry is changed from $O_{h}$ to $S_{6}, \mathrm{f}_{l u}$ modes split into $\mathrm{a}_{\mathrm{u}}$ and $\mathrm{e}_{\mathrm{u}}$ components and $a_{2 u}$ modes go to $a_{u}$ (Table VIB). Thus in the crystal three frequencies are allowed. We believe that the $\mathrm{e}_{u}$ component is $2978 \mathrm{~cm}^{-1}$, close to the solution value of $2977 \mathrm{~cm}^{-1}$. We further believe that the two $a_{u}$ components have interacted to give 2965 and $2992 \mathrm{~cm}^{-1}$. This would explain why no one of the three is weak; the $\mathrm{a}_{\mathrm{u}}$ mode derived from the $O_{h}$-forbidden $a_{2 u}$ has picked up intensity from the $a_{u}$ mode derived from the $O_{h}$-allowed $\mathrm{f}_{1 \mathrm{u}}$. It also explains why the separations from $2978 \mathrm{~cm}^{-1}$ are nearly equal ( 15 and $14 \mathrm{~cm}^{-1}$ ), and rather large compared to our other doublets. In Table I we have designated these $a_{\mu}$ bands 2965 and $2992 \mathrm{~cm}^{-1}$ as " 3 and $10\left(\mathrm{a}_{\mathrm{u}}\right)$ " to imply that each is a mixture. It then appears that the unperturbed $a_{u}$ fundamental would have been about $2978 \mathrm{~cm}^{-1}$, almost coincident with the $e_{\mu}$ component.

In $d_{8}$ the situation is analogous. There is one band in solution ( $2238 \mathrm{~cm}^{-1}$ ) but three in the solid: 2229 (m), 2240 (vs), and $2248 \mathrm{~cm}^{-1}(\mathrm{~m})$. Again it seems that the $\mathrm{e}_{\mathrm{u}}$ component is 2240 $\mathrm{cm}^{-1}$, nearly coincident with the solution value, whereas the $a_{u}$ components have interacted and split to give 2229 and 2248 $\mathrm{cm}^{-1}$. We take the unperturbed value to be about $2239 \mathrm{~cm}^{-1}$ and use this for $\nu_{3}$.
$\nu_{8}\left(\mathbf{e}_{\mathrm{u}}\right)$. In $d_{0}, d_{1}, d_{2}, d_{6}$, and $d_{8}$ there are bands at 617,590, 574,538 , and $527 \mathrm{~cm}^{-1}$, respectively, which cannot be ignored. Although they are weak, they are in every compound and are well isolated from other bands. In $d_{0} 617 \mathrm{~cm}^{-1}$ is so useful in explaining sum tones that this alone indicates it to be a fundamental. Since these are the lowest observed bands in each of the compounds, they are probably either $\nu_{4}$ or $\nu_{8}$. These are nominally cube deformations, and are expected to be the lowest of the fundamentals.

Species $\mathrm{a}_{2 u}$ of $O_{h}$ has only two fundamentals: a $\mathrm{C}-\mathrm{H}$ stretch which we have just assigned for both $d_{0}$ and $d_{8}$. and a cube deformation. The product rule can therefore be used to see whether 617 and $527 \mathrm{~cm}^{-1}$ belong to $\nu_{4}$ of this species. It is quickly found that they do not. Therefore 617 and $527 \mathrm{~cm}^{-1}$ probably belong to the other nominal cube deformation, $\nu_{8}$ of $\mathrm{e}_{\mathrm{u}}$. This gets some further support from the following observations. (1) In $d_{0} 617 \mathrm{~cm}^{-1}$ is not a doublet in the solid. This is consistent with not being an f mode (although by no means proof of it). In $d_{8} 527 \mathrm{~cm}^{-1}$ is a doublet, but the higher component ( $532 \mathrm{~cm}^{-1}$ ) is much weaker and can be due to $d_{7}$. (2) The bands of $d_{2}\left(574 \mathrm{~cm}^{-1}\right)$ and $d_{6}\left(538 \mathrm{~cm}^{-1}\right)$ are singlets in the solid. If they had originated from $\mathrm{f}_{2 \mathrm{u}}$ in $d_{0}$, they should be pairs of bands. Therefore they seem to have originated from $\mathrm{a}_{2 \mu}$ or $\mathrm{e}_{u}$ in $d_{0}$. Since we have just seen that the product rule eliminates $\mathrm{a}_{2 \mathrm{u}}$, the only possibility left is $\mathrm{e}_{\mathrm{u}}$. We therefore assign 617 and $527 \mathrm{~cm}^{-1}$ to $\nu_{8}$.
$\mathbf{f}_{2 \mathrm{u}}$ Modes ( $\nu_{17}$ and $\nu_{18}$ ). In $d_{0}$ doublets in the solid are significant. (Unfortunately this is not necessarily true for $d_{8}$ because of the isotopic impurity.) Species $\mathrm{f}_{1 u}$ and $\mathrm{f}_{2 u}$ of $O_{h}$ should give doublets. Since we know the $f_{1 u}$ assignments, we can look for candidates for the two $f_{2 \mu}$ modes of $d_{0}$ which are (a) doublets in the solid and (b) absent in solution. Possibilities are 829 (m), 1036 (m), and $1151 \mathrm{~cm}^{-1}$ (w).

In $d_{2}$ and $d_{6}$ the $f_{2 u}$ modes split into two components because of lowering of the symmetry. We have designated these a and b. Consider the component that is in $\mathrm{a}_{1 \mu}$ of $D_{3 d}$. We note that
the product rule ratio for $d_{0} / d_{2}$ is 1 , and also for $d_{6} / d_{8}$. Consequently one looks in the infrared spectrum of $d_{2}$ to see whether any of the above three bands is present there too. Two are: $\sim 827$ (sh) and $1036 \mathrm{~cm}^{-1}$ ( w , solid only). This gives us the assignments for $\nu_{17 \mathrm{a}}$ and $\nu_{18 \mathrm{a}}$ in $d_{0}$ and $d_{2}$.

Next we look in $d_{6}$ and $d_{8}$ for bands which (1) have the same wavenumbers in these two compounds (to give $\tau=1$ ) and (2) satisfy the product rule for $d_{0} / d_{8}$. There is only one pair with the same wavenumbers in $d_{6}$ and $d_{8}: 927$ (vw) and $924 \mathrm{~cm}^{-1}$ (vw). Unfortunately, the Raman spectrum of $d_{8}$ has a band at $923 \mathrm{~cm}^{-1}$, so this could be due to $d_{7}$. However, let us try it. We then have 1036 and $829 \mathrm{~cm}^{-1}$ in $d_{0}$, and 924 and $x \mathrm{~cm}^{-1}$ in $d_{8}$. By using the product rule, $x$ is estimated to be $670 \mathrm{~cm}^{-1}$. A weak band here might be hidden under the very strong one at $686 \mathrm{~cm}^{-1}$. However, in $d_{6}$ there is no interference, and there is a band at $674 \mathrm{~cm}^{-1}$, very weak and in the solid only. Therefore we adopt 927 and $674 \mathrm{~cm}^{-1}$ for $\nu_{17 \mathrm{a}}$ and $\nu_{18 \mathrm{a}}$ in $d_{6}$, and 924 and $674 \mathrm{~cm}^{-1}$ (postulated) in $d_{8}$. Both assignments for $d_{8}$ are uncertain.
$\mathbf{a}_{2} \mathrm{M}$ Modes ( $\nu_{3}$ and $\nu_{4}$ ). We already know $\nu_{3}$ in both $d_{0}$ and $d_{8}$. The product rule then gives the ratio $\nu_{4}\left(d_{0}\right) / \nu_{4}\left(d_{8}\right) \simeq$ 1.045. One can therefore search the spectra for bands giving this ratio. They should be singlets in the solid and missing in solution. The bands may be weak in the solid because they are made allowed only by the crystal symmetry. Furthermore, $\nu_{4}$ is nominally a $\mathrm{CC}_{3}$ deformation so it is expected to be $<1000$ $\mathrm{cm}^{-1}$.

An examination of the infrared spectra of $d_{0}$ and $d_{8}$ gives several possibilities. An additional restriction is that one ought to find the mode in $d_{2}$ and $d_{6}$ also. A suitable choice seems to be $839(\mathrm{~m})-838(\mathrm{~s})-807(\mathrm{~m})-807 \mathrm{~cm}^{-1}$ (vvw). This gives a satisfactory $\tau$ for $d_{0} / d_{8}$ (1.383 vs. I.414). It also follows the expected selection rules. In solution $\nu_{4}$ is forbidden for $d_{0}$ and $d_{8}$, but is allowed for $d_{2}$ and $d_{6}$. The observations for solution are absent, $\mathrm{s}, \mathrm{w}$, absent.
$\mathbf{e}_{\mathbf{u}}$ Modes ( $\nu_{7}$ and $\nu_{8}$ ). We already know $\nu_{8}$ in both $d_{0}$ and $d_{8}$. The product rule then gives the ratio $\nu_{7}\left(d_{0}\right) / \nu_{7}\left(d_{8}\right) \simeq 1.185$. These modes are forbidden in solution and should be singlets in the solid. The only observed bands which satisfy these requirements are 1144 or 1151 in $d_{0}$ and $960 \mathrm{~cm}^{-1}$ in $d_{8}$. Unfortunately, $1151 \mathrm{~cm}^{-1}$ is a doublet, but it is more intense than $1144 \mathrm{~cm}^{-1}$ and more useful in explaining sum tones so we use it in spite of its weaker companion at $1153 \mathrm{~cm}^{-1}$. In $d_{8} 960$ $\mathrm{cm}^{-1}$ is also observed in the Raman spectrum (intensity 140 , $\rho=0.00$ ). The Raman band is assigned as $\nu_{2}$ for $d_{7}$. This mode of $d_{7}$ is also infrared allowed, and this may account for some of the observed infrared intensity. However, by analogy with the infrared and Raman intensities of $\nu_{2}$ in $d_{1}$, where the symmetry is the same as for $d_{7}$, the infrared intensity of 960 $\mathrm{cm}^{-1}$ seems to have a nother contribution. We therefore believe that $960 \mathrm{~cm}^{-1}$ is also $\nu_{7}$ of $d_{8}$.

## $u$ Modes for $\boldsymbol{d}_{\mathbf{2}}$ and $\boldsymbol{d}_{\mathbf{6}}$

These have already been selected for $\nu_{8}$ (quite certain), $\nu_{17 \mathrm{a}}$ and $\nu_{18 \mathrm{a}}$ (from $\tau=1$ ), and $\nu_{4}$. There are three $\mathrm{C}-\mathrm{H}$ stretches: two in a $2_{2 u}$ of $D_{3 d}\left(\nu_{3}\right.$ and $\left.\nu_{10 \mathrm{a}}\right)$ and one in $\mathrm{e}_{\mathrm{u}}\left(\nu_{10 \mathrm{~b}}\right)$. All are allowed for $D_{3 d}$. One of the $a_{2 u}$ modes involves stretching of the $\mathrm{C}-\mathrm{H}$ or $\mathrm{C}-\mathrm{D}$ groups lying on the $\mathrm{C}_{3}$ axis. It will therefore be high-low-high-low. We arbitrarily designate this one $\nu_{10 a}$. The other two $\mathrm{C}-\mathrm{H}$ stretches will be high-high-low-low. The following assignments seem reasonable: for $\nu_{3}$, [ 2978$]$ -2968-2242-[~2239]; for $\nu_{10 \mathrm{a}}, 2978-2240-2974-2240$; for $\nu_{10 \mathrm{~b}}, 2978-2977-2236-2240 \mathrm{~cm}^{-1}$.

Selection of the remaining $u$ modes for $d_{2}$ and $d_{6}$ is a matter of looking for bands with reasonable wavenumbers between those of $d_{0}$ and $d_{8}$, and then checking with the product rule. Given the assignments for $d_{0}$ and $d_{8}$, there is not a great deal of choice. Our values are given in Table IX, but do not warrant discussion.

Table XI. Assignments for the Fundamental Vibrations of Cubane- $d_{1}$ Compared with $-d_{0}$ and $-d_{2}{ }^{\prime \prime}$

| $C_{3 c}$ sym |  |  | assignment |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| species | sel rules | no. | $d_{0}$ | $d_{1}$ | $d_{2}$ |
| $\mathrm{a}_{1}$ | $\mathrm{R}(\mathrm{p}), 1$ | 1 | 2995 | 2993 | 2993 |
|  |  | 2 | 1002 | 996 | 991 |
|  |  | 13 a | 2970 | 2969 | 2237 |
|  |  | 14 a | 1182 | 1174 | 1168 |
|  |  | 15 a | 821 | 816 | 821 |
|  |  | 16: | 665 | $\sim 659$ | 651 |
|  |  | 3 | [~2978] | 2977 | 2968 |
|  |  | 4 | 839 | 844 | 838 |
|  |  | 10a | 2978 | 2240 | 2240 |
|  |  | 11a | 1230 | 1219 | 1201 |
|  |  | 12a | 8.53 | 853 | 851 |
| a? |  | 9a | 1130 | 1132 | (1130) |
|  |  | 17a | 1036 | 1036 | 1036 |
|  |  | 18 a | 829 | 834 | $\sim 827$ |
| c | R(dp), I | 5 | 1083 | 1062 | 1016 |
|  |  | 6 | 912 | 898 | 875 |
|  |  | 9 b | 1130 | 1101 | 1100 |
|  |  | 13 b | 2970 | \{2969\} | 2970 |
|  |  | 14b | 1182 | 1179 | 1174 |
|  |  | 15b | 821 | 826 | 738 |
|  |  | 16b | 665 | 652 | 632 |
|  |  | 7 | 1151 | 1145 | 1109 |
|  |  | 8 | 617 | 590 | 574 |
|  |  | 10 b | 2978 | \{2977\} | 2977 |
|  |  | 11 b | 1230 | 1225 | 1222 |
|  |  | 12b | 853 | 847 | 844 |
|  |  | 17b | 1036 | 1002 | 995 |
|  |  | 18b | 829 | 722 | 711 |

" Braces indicate value used twice. See footnote $b$, Table IX.

It may be noted that $\nu_{18 \mathrm{~b}}$ is $651 \mathrm{~cm}^{-1}$ in $d_{6}$ and rises to 674 $\mathrm{cm}^{-1}$ in $d_{8}$. This can be rationalized as follows. The $651-\mathrm{cm}^{-1}$ value is abnormally low in $d_{6}$ because $\nu_{18 \mathrm{~b}}$ has had first-order interaction with $\nu_{12 \mathrm{~b}}$ in the same species, making the latter abnormally high at $786 \mathrm{~cm}^{-1}$. In $d_{8}$ this interaction does not occur because $\nu_{18 \mathrm{~b}}$ and $\nu_{12 \mathrm{~b}}$ are in different species. Consequently $\nu_{18 \mathrm{~b}}$ moves up from 651 to $674 \mathrm{~cm}^{-1}$, and $\nu_{12 \mathrm{~b}}$ has a $100-\mathrm{cm}^{-1}$ drop from 786 to $686 \mathrm{~cm}^{-1}$.

This completes the assignments of the $u$ modes. The product rule ratios in Table VIII are on the whole quite good. The weakest assignments for $d_{0}$ and $d_{8}$ are (a) $1151 \mathrm{~cm}^{-1}$ for $d_{0}$ and (b) 960,924 , and $674 \mathrm{~cm}^{-1}$ for $d_{8}$.

## Remaining Infrared Bands

Explanations for most of these are included in Tables I-IV. The general comments concerning remaining Raman bands apply here too. For $d_{0}$ there are six infrared bands for which we cannot supply an explanation. The only serious problem is presented by $1235 \mathrm{~cm}^{-1}$ because of its medium intensity. The other five bands are all very weak. For $d_{8}$ there are a number of infrared bands for which we cannot account, but all are weak and we know that there is considerable isotopic impurity. Similarly $d_{2}$ and $d_{6}$ do not present any serious problems.

## Assignments for $\boldsymbol{d}_{1}$

Because this molecule has a different symmetry from the others, it is discussed separately. Under $C_{3 v}$ the fundamentals are $11 a_{1}(R, I)+3 a_{2}+14 e(R, I)$. Our assignments are given in Tables $V$ and XI. The assignments for $d_{0}$ and $d_{2}$ provide a useful guide because they will bracket those for $d_{1}$; they are therefore included in Table XI.

One of the $\mathrm{C}-\mathrm{H}$ stretches of $d_{0}$ will drop to about $2250 \mathrm{~cm}^{-1}$ in $d_{1}$. We arbitrarily call it $\nu_{10}$ a, although it could equally well be termed $\nu_{13 \mathrm{a}}$. The other C-H stretches are fairly obvious: $\nu_{1}$ 2993, $\nu_{3}$ and $\nu_{10 \mathrm{~b}} 2977$, and $\nu_{13 \mathrm{a}}$ and $\nu_{13 \mathrm{~b}} 2969 \mathrm{~cm}^{-1}$.

There is no doubt that $\nu_{2}$ is $996 \mathrm{~cm}^{-1}$. From the large solid-to-solution shift of the $898-\mathrm{cm}^{-1}$ band, this is clearly $\nu_{6}$ (Table XB). The large infrared intensities confirm 1219 and $1225 \mathrm{~cm}^{-1}$ as $\nu_{11 \mathrm{a}}$ and $\nu_{1 \mid \mathrm{b}}$, and 847 and $853 \mathrm{~cm}^{-1}$ as $\nu_{12 \mathrm{~b}}$ and $\nu_{12 \mathrm{a}}$. The reasons for these particular $\mathrm{a}-\mathrm{b}$ assignments are as follows.
(1) $\nu_{11}$. The polarized Raman sum tone at $2212 \mathrm{~cm}^{-1}$ can be explained as $996+1217=2213 \mathrm{~cm}^{-1}$. Since both 996 and $2213 \mathrm{~cm}^{-1}$ are totally symmetrical, $1217 \mathrm{~cm}^{-1}$ must be also. Therefore $1217 \mathrm{~cm}^{-1}$ ( $1219 \mathrm{~cm}^{-1}$ in the infrared) is assigned to $\nu_{11 \mathrm{a}}$, leaving $1225 \mathrm{~cm}^{-1}$ for $\nu_{1 / \mathrm{b}}$.
(2) $\nu_{12}$. The Raman band at $844 \mathrm{~cm}^{-1}$ has $\rho=0.56$. Although this value is possible for a $C_{3 c}$ molecule, the deviation of $d_{1}$ from $O_{h}$ symmetry is small enough so that all the other observed $\rho$ 's are either 0.75 or $<0.26$. We therefore believe that the value 0.56 indicates an overlap of $\nu_{4}(\mathrm{p})$ with $\nu_{12 \mathrm{~b}}(\mathrm{dp})$. This leaves $853 \mathrm{~cm}^{-1}$ for $\nu_{12 \mathrm{a}}$. Incidentally this makes $\nu_{4} 5 \mathrm{~cm}^{-1}$ higher in $d_{1}$ than in $d_{0}$ or $d_{2}$, possibly owing to interaction with the $816-\mathrm{cm}^{-1}$ band which can occur in $d_{1}$ but not in $d_{0}$ or $d_{2}$. The $816-\mathrm{cm}^{-1}$ band is assigned to $\nu_{15 a}$ because it may be polarized. It is $5 \mathrm{~cm}^{-1}$ lower than expected, supporting the interaction just suggested.

The Raman band at $1002 \mathrm{~cm}^{-1}$ has the correct value for $d_{0}$ impurity, but for two reasons we believe that it is also overlapping a band of $d_{1}$. (1) For $d_{0}, \rho$ should be zero rather than the observed 0.26. (2) If $1002 \mathrm{~cm}^{-1}$ is due to $d_{0}$, it should not appear in the infrared spectrum, whereas it is present for both solid and solution. We therefore suggest that the infrared band is due to $\nu_{17 \mathrm{~b}}$, and that the Raman one is a superposition of $\nu_{17 \mathrm{~b}}$ of $d_{1}$ and $\nu_{2}$ of $d_{0}$.

The three $a_{2}$ modes are forbidden for the free molecule. However, they are allowed by the symmetry of the crystal, and we believe that all three occur weakly in the spectrum of the solid only. They are $\nu_{9 \mathrm{a}} 1132, \nu_{17 \mathrm{a}} 1036$, and $\nu_{18 \mathrm{a}} 834 \mathrm{~cm}^{-1}$. The first one is derived from a g mode of $d_{0}$ and $d_{2}$, and is found in the Raman spectrum only. The other two are derived from $u$ modes, and are seen only in the infrared spectrum. This is pleasing support.

There is no need to discuss the remaining assignments; they are made by analogy with the $d_{0}$ and $d_{2}$. ones.

Most of the remaining bands can be satisfactorily explained. (The general remarks concerning remaining Raman bands for the other four molecules apply here too.) The only serious problem is presented by the Raman band at $1027 \mathrm{~cm}^{-1}$ (intensity $28, \rho=0.01$ ). Should this replace one of our other $a_{1}$ assignments, and by implication lead us to change something in $d_{0}$ and $d_{2}$ ? Examination of Table XI leads to the conclusion that there is only one $a_{1}$ fundamental which could be changed, viz., $\nu_{4}\left(844 \mathrm{~cm}^{-1}\right)$. However, replacing it with $1027 \mathrm{~cm}^{-1}$ offers more problems in the other four molecules than it solves, so we conclude that $1027 \mathrm{~cm}^{-1}$ is not an $a_{1}$ fundamental. In $d_{0}$ there is a weak band at this position which is ascribed to an impurity. Possibly in $d_{1}$ it is also due to the same impurity, although the intensity is disturbingly high for that. We do not have a satisfactory explanation.

## Discussion of the Results

It has been possible to make assignments for all the fundamentals of all five molecules- 120 modes in all. For $d_{0}$ and $d_{8}$ we are confident that the assignments of the g modes are correct. Some of their $u$ modes are uncertain-especially $\nu_{7}$ for $d_{0}$ and $\nu_{7}, \nu_{17}$, and $\nu_{18}$ for $d_{8}$. There are some additional questions about the assignments of $d_{1}, d_{2}$, and $d_{6}$. On the whole, though, it is both surprising and gratifying that one can do so well for $d_{0}$ and $d_{8}$. This is a consequence of the fortunate crystal structure, and to having data for the intermediate isotopic compounds. Both provided essential information. It is perhaps worth noting again, in hindsight, that the spectra of $d_{0}$ and $d_{8}$ in solution do follow the selection rules for $O_{h}$ sym-
metry, whereas in the polycrystalline solid they follow those for $S_{6}$.

Cubane may be regarded as six $\mathrm{C}_{4}$ rings locked together to form a cube. It is a surprising and curious coincidence that the breathing mode of the (nonplanar) cyclobutane ring, 1004.5 $\mathrm{cm}^{-1},{ }^{10}$ is only $3 \mathrm{~cm}^{-1}$ different from the breathing mode of cubane ( $1002 \mathrm{~cm}^{-1}$ ).

It was our expectation that the spectra would have some unusual features because of the severely strained bond angles at the cube corners. To our surprise there is no obvious evidence of this. The modes of $d_{0}$ come about where one would expect by analogy with unstrained, saturated hydrocarbons, and its spectrum seems to be quite normal. For example, the frequency of a $\mathrm{C}-\mathrm{H}$ stretch usually rises as the $\mathrm{C}-\mathrm{C}-\mathrm{C}$ bond angle of the saturated carbon becomes smaller. Thus the highest $\mathrm{C}-\mathrm{H}$ stretch in cyclohexane is $2963 \mathrm{~cm}^{-1},{ }^{11}$ in cyclopentane is 2966 $\mathrm{cm}^{-1},{ }^{12}$ in cyclobutane is $2987 \mathrm{~cm}^{-1},{ }^{10}$ and in cyclopropane the four modes range between 3025 and $3102 \mathrm{~cm}^{-1}$. 13 Many other examples could be cited, but this is enough to show the trend. We had expected to find at least some of the $\mathrm{C}-\mathrm{H}$ stretches in cubane above $3000 \mathrm{~cm}^{-1}$, but the highest is 2995 $\mathrm{cm}^{-1}$. This is only a little higher than the highest in cyclobutane. A fairer comparison is to use the average of all the $\mathrm{C}-\mathrm{H}$ stretches weighted for degeneracy. This average is $2916 \mathrm{~cm}^{-1}$ for cyclohexane, $2926 \mathrm{~cm}^{-1}$ for cyclopentane (averaged over the eight known stretches), $2939 \mathrm{~cm}^{-1}$ for cyclobutane, 2977 $\mathrm{cm}^{-1}$ for cubane, and $3059 \mathrm{~cm}^{-1}$ for cyclopropane. This does reflect the strain in cubane.

It may be that the force field will show the influence of bond strain more clearly. One of us (E.F.M.) expects to publish a normal-coordinate calculation for cubane. We hope that this
will give quantitative information on how normal the bonds are. For now the most we can say is that the spectrum of cubane seems remarkably similar to that of the other saturated hydrocarbons.

There is one interesting point of difference, however. Cubane has no low molecular modes; its lowest fundamental is 617 $\mathrm{cm}^{-1}$. The $\mathrm{C}_{8}$ cube is a "tight" system because it is bonded three dimensionally, and it is therefore not easy to deform even if all the bonds are single ones. By contrast, benzene, although having much stronger $\mathrm{C}-\mathrm{C}$ bonds, is considerably more floppy and has an out-of-plane bending mode at $404 \mathrm{~cm}^{-1}$.

## References and Notes

(1) (a) The Flinders University of South Australia. (b) University of Pittsburgh. (c) A portion of this paper is from a thesis to be submitted by Gerald L. Jones in partial fulfillment of the requirements for the degree of Doctor of Philosophy at the University of Pittsburgh.
(2) The Chemical Abstracts name for cubane is pentacyclo $\left[4.2 .0 .0^{2,5} \cdot 0^{3,8} \cdot 0^{4,7}\right]$ octane. It is Chemical Abstracts compound 277-10-1.
(3) Eaton, P. E.; Cole, T. W. Jr. J. Am. Chem. Soc. 1964, 86, 3157-3158.
(4) Fleischer, E. B. J. Am. Chem. Soc. 1964, 86, 3889-3890.
(5) Bischof, P.; Eaton, P. E., et al. Helv. Chim. Acta 1978, 61, 547-557.
(6) Della, E. W.; Patney, H. K. Aust. J. Chem. 1976, 29, $2469-2475$.
(7) If the vapor pressure equation given by Kybett, B. D., et al. J. Am. Chem. Soc. $1966,88,626$, is extrapolated from 262 to 295 K , one calculates a vapor pressure of 0.6 Torr at 295 K .
(8) Miller, F. A.; Harney, B. M.; Tyrrell, J. Spectrochim. Acta, Part A 1971, 27, 1003-1018.
(9) Herzberg, G. 'Infrared and Raman Spectra of Polyatomic Molecules': Van Nostrand: Princeton, N.J., 1945; p 231.
(10) Miller, F. A.; Capwell, R. J.; Lord, R. C.; Rea, D. C. Spectrochim. Acta, Part A 1972, 28, 603-618.
(11) Wiberg, K. B.; Shrake, A. Spectrochim. Acta, Part A 1971, 27, 1139 1151.
(12) Miller, F. A.; Inskeep, R. G. J. Chem. Phys. 1950, 18, 1519-1531.
(13) (a) Baker, A. W.; Lord, R. C. J. Chem. Phys. 1955, 23, 1636-1643. (b) Duncan, J. L.; McKean, D. C. J. Mol. Spectrosc. 1968, 27, 117-142.

# ${ }^{1} \mathrm{H},{ }^{2} \mathrm{H}$, and ${ }^{13} \mathrm{C}$ ENDOR Studies of Phenalenyl Radicals in Nematic and Smectic Mesophases of Liquid Crystals 

B. Kirste, H. Kurreck,* H.-J. Fey, Ch. Hass, and G. Schlomp<br>Contribution from the Institut fur Organische Chemie, Freie Universitat Berlin, Takustr. 3, I000 Berlin 33, West Germany. Received April 16, 1979


#### Abstract

ESR, ${ }^{1} \mathrm{H},{ }^{2} \mathrm{H}$, and ${ }^{13} \mathrm{C}$ ENDOR and TRIPLE experiments have been performed on labeled chloro- and methylphenalenyls ("perinaphthenyls") in isotropic, nematic, and smectic phases of liquid crystals. Hyperfine coupling constant shifts were measured and the assignment to molecular positions is discussed. The results suggest that the substituents cause additional alignment effects of the radicals. Smectic A phases have proved to be advantageous as compared to nematic phases in these studies. The first successful detection of ${ }^{13} \mathrm{C}$ ENDOR lines in a nematic mesophase is reported. Quadrupole splittings were observed for all of the ? H ENDOR lines, and the complete quadrupole coupling tensor of the ring deuterons ( $e^{2} q Q / h=(174 \pm$ 10) $\mathrm{kHz}, \eta=0.08 \pm 0.04)$ and the quadrupole coupling of the methyl deuterons $\left(e^{2} q Q / h \sim 130 \mathrm{kHz}\right)$ could be determined.


## Introduction

Information about the anisotropic hyperfine or $\mathbf{g}$-tensor contributions can in principle be obtained from ESR spectra of organic radicals imbedded in amorphous or polycrystalline solid matrices. However, these spectra usually are very complex and poorly resolved. In isotropic fluid solution, on the other hand, the angular-dependent contributions are averaged out by the Brownian motion resulting in well-resolved ESR spectra, but only the isotropic contact hyperfine interactions and the isotropic $g$ factor can be observed and all information about the anisotropic interactions is lost.

Previously it could be shown in a variety of papers that this lack can be overcome by using liquid crystals as solvents. ${ }^{\text {I }}$ The
long axes of the solvent molecules within the nematic liquid crystals tend to be parallel, and they are macroscopically aligned by applying a magnetic field ( $\sim 0.3 \mathrm{~T}$ ). Consequently, the molecular motion of dissolved nonspherical molecules is no longer isotropic, and the ordering of the solute will more or less reflect the ordering of the solvent. This alignment of the radical under study constitutes nonvanishing contributions from the anisotropic hyperfine tensors resulting in quite different hyperfine coupling constants as compared to the isotropic splittings. Unambiguous evaluation of the shifts caused by the anisotropic motion of the molecules calls for the proper determination of the respective isotropic hyperfine coupling constants under the same experimental conditions. A more approximate measurement of the isotropic couplings is

